

Chapter I Selected Solutions

3. REASONING AND SOLUTION

a. 1 minute = 60 seconds, 1 hour = 3600 seconds.

(35 minutes) [60 seconds/(1 minute)] = 2100 seconds.

Hence, 1 hour 35 minutes = 3600 seconds + 2100 seconds = **5700 s**

b. 1 day = 24 hours, 1 hour = 3600 s

1 day = (24 hours) [3600 seconds/(1 hour)] = **86 400 s**

7. REASONING AND SOLUTION

a. $F = [M][L]/[T]^2$; $ma = [M][L]/[T]^2 = [M][L]/[T]^2$ so $F = ma$ **is dimensionally correct**.

b. $x = [L]$; $at^3 = ([L]/[T]^2)[T]^3 = [L][T]$ so $x = (1/2)at^3$ **is not dimensionally correct**.

c. $E = [M][L]^2/[T]^2$; $mv = [M][L]/[T]$ so $E = (1/2)mv$ **is not dimensionally correct**.

d. $E = [M][L]^2/[T]^2$; $\max = [M]([L]/[T]^2)[L] = [M][L]^2/[T]^2$ so $E = \max$ **is dimensionally correct**.

e. $v = [L]/[T]$; $(Fx/m)^{1/2} = \{([M][L]/[T]^2)([L]/[M])\}^{1/2} = \{[L]^2/[T]^2\}^{1/2} = [L]/[T]$ so $v = (Fx/m)^{1/2}$ **is dimensionally correct**.

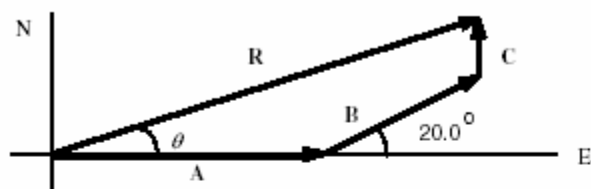
33. REASONING AND SOLUTION

The east and north components are, respectively

a. $A_e = A \cos \theta = (155 \text{ km})\cos 18.0^\circ =$ **147 km**

b. $A_n = A \sin \theta = (155 \text{ km})\sin 18.0^\circ =$ **47.9 km**

41. **SSM** *REASONING* The individual displacements of the golf ball, **A**, **B**, and **C** are shown in the figure. Their resultant, **R**, is the displacement that would have been needed to "hole the ball" on the very first putt. We will use the component method to find **R**.



SOLUTION The components of each displacement vector are given in the table below.

Vector	x Components	y Components
A	$(5.0 \text{ m}) \cos 0^\circ = 5.0 \text{ m}$	$(5.0 \text{ m}) \sin 0^\circ = 0$
B	$(2.1 \text{ m}) \cos 20.0^\circ = 2.0 \text{ m}$	$(2.1 \text{ m}) \sin 20.0^\circ = 0.72 \text{ m}$
C	$(0.50 \text{ m}) \cos 90.0^\circ = 0$	$(0.50 \text{ m}) \sin 90.0^\circ = 0.50 \text{ m}$
R = A + B + C	7.0 m	1.22 m

The resultant vector **R** has magnitude

$$R = \sqrt{(7.0 \text{ m})^2 + (1.22 \text{ m})^2} = \boxed{7.1 \text{ m}}$$

and the angle θ is

$$\theta = \tan^{-1}\left(\frac{1.22 \text{ m}}{7.0 \text{ m}}\right) = 9.9^\circ$$

Thus, the required direction is **9.9° north of east**.