

### PHYSICS 2

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### WAVES AND SOUND

#### MOTION OF WAVES

#### Equations you will need

Description	Equation	Description	Equation
Displacement of a transverse wave traveling to the right	$y(x, t) = f(x + vt)$	Displacement of a transverse wave traveling to the left	$y(x, t) = f(x - vt)$
Equation of a sinusoidal wave traveling to the right	$y = A \sin\left[\frac{2\pi}{\lambda}(x - vt)\right]$	Equation of a sinusoidal wave traveling to the left	$y = A \sin\left[\frac{2\pi}{\lambda}(x + vt)\right]$
Wave number	$k = \frac{2\pi}{\lambda}$	Angular frequency	$\omega = 2\pi f = \frac{2\pi}{T}$
Compact form of a sinusoidal wave	$y = A \sin(kx - \omega t)$	Speed of the wave	$v = \lambda f$
The maximum values of the transverse speed and transverse acceleration	$v_{y, \max} = \omega A$ $a_{y, \max} = \omega^2 A$	Speed of a wave on a string	$v = \sqrt{\frac{T}{\mu}}$
Rate of energy transfer in any sinusoidal wave	$P = \frac{1}{2} \mu \omega^2 A^2 v$	Linear wave equation	$\frac{\partial^2 y}{\partial x^2} = \frac{1}{v^2} \frac{\partial^2 y}{\partial t^2}$

#### SPEED OF SOUND WAVES AND DOPPLER EFFECT

#### Equations you will need

Description	Equation	Description	Equation
Speed of longitudinal sound waves in a solid	$v = \sqrt{\frac{Y}{\rho}}$	Doppler effect :- Doppler effect is a phenomenon that occurs due to the relative motion of the source of sound and the observer.	
Speed of longitudinal sound waves in liquid and gases	$v = \sqrt{\frac{B}{\rho}}$		
Periodic variation of pressure	$\Delta P = (\rho v \omega d_{\max}) \sin(kx - \omega t)$	Apparent frequency :- *When the source is moving towards the observer	$f' = \left(\frac{v}{v - v_s}\right) f$
Speed of sound waves as a function of temperature	$v = (331 \text{ m/s}) \sqrt{1 + \frac{T_c}{273^\circ \text{C}}}$	*When the source is moving away from the observer	$f' = \left(\frac{v}{v + v_s}\right) f$
Rate of energy transfer	$P = \frac{1}{2} \rho A v (\omega d_{\max})^2$	*When the observer is moving towards the source	$f' = \left(\frac{v + v_0}{v}\right) f$
Intensity of a wave *The intensity of a wave is the rate at which energy is transported by the wave per unit area perpendicular to the direction of propagation. *Intensity of a spherical wave	$I = \frac{1}{2} \rho v (\omega d_{\max})^2$ $I = \frac{P_{\text{av}}}{4\pi r^2}$	*When the observer is moving away from the source	$f' = \left(\frac{v - v_0}{v}\right) f$
		*When the source and observer are moving towards each other	$f' = \left(\frac{v + v_0}{v - v_s}\right) f$
*Sound level in decibels $I_0 = 1.0 \times 10^{-12} \text{ W / m}^2$	$\beta = 10 \log\left(\frac{I}{I_0}\right)$	*When the source and observer are moving away from each other	$f' = \left(\frac{v - v_0}{v + v_s}\right) f$
		*Mach angle	$\sin \theta = \frac{v}{v_s}$

## PHYSICS 2

## THE PRINCIPLE OF LINEAR SUPERPOSITION AND INTERFERENCE PHENOMENA

## INTERFERENCE OF WAVES

## Equations you will need

Description	Equation	Description	Equation
Resultant displacement for superposition of 2 sinusoidal waves	$y = 2A \cos\left(\frac{\phi}{2}\right) \sin\left(kx - \omega t + \frac{\phi}{2}\right)$	Condition for (a) Constructive interference	$\delta = n\lambda$
Expression for a standing wave :-	$y = 2A \sin(kx) \cos(\omega t)$	(b) Destructive interference	$\delta = \left(n + \frac{1}{2}\right)\lambda$
Distance between 2 nodes and 2 antinodes	$\lambda/2$	Frequency of vibration of a stretched string n=1; Fundamental n=2; 2 <sup>nd</sup> Harmonic n=3; 3 <sup>rd</sup> Harmonic	$f_n = \frac{n}{2L} \sqrt{\frac{T}{\mu}}$
Distance between a node and an antinode	$\lambda/4$		
Frequency of standing waves in an open organ pipe	$f_n = n\left(\frac{v}{2L}\right)$	Frequency of standing waves in a closed organ pipe	$f_n = (2n + 1)\left(\frac{v}{4L}\right)$
Resultant amplitude of two waves of different frequencies but same amplitude the resultant wave	$A_{RES} = 2A \cos 2\pi\left(\frac{f_1 - f_2}{2}\right)t$	Beat frequency	$f_{BEAT} =  f_1 - f_2 $
Expression for superposition of 2 waves having nearly equal frequency		$y = [2AC \cos 2\pi\left(\frac{f_1 - f_2}{2}\right)t] S \sin 2\pi\left(\frac{f_1 + f_2}{2}\right)t$	
Fourier's theorem		$y(t) = \sum_n (A_n \sin 2\pi f_n t + B_n \cos 2\pi f_n t)$	

## ELECTRIC FORCES AND ELECTRIC FIELDS

## ELECTRIC FORCES

## GAUSS'S LAW AND ELECTRIC FLUX

## Good to know

## Good to know

- Like charges repel, opposite charges attract.
- A body can be charged by:-
  - Conduction
  - Induction

- Properties of a conductor in equilibrium:
- $\vec{E}$  is zero everywhere inside the conductor.
  - Charges reside on the surface of the conductor.
  - The magnitude of the electric field outside the conductor is  $\sigma / \epsilon_0$  and is perpendicular to the surface.
  - Smaller the radius of curvature on an irregularly shaped conductor, larger is the surface charge density.

## Equations you will need

## Equations you will need

Description	Equation	Description	Equation
COULOMB'S LAW:- where $k_e = 8.9875 \times 10^9 \text{ N.m}^2/\text{C}^2$ where $\epsilon_0 = 8.8542 \times 10^{-12} \text{ N.m}^2/\text{C}^2$ and is called the permittivity of free space	$\vec{F} = \frac{k_e  q_1   q_2 }{r^2} \hat{r}$ $k_e = \frac{1}{4\pi\epsilon_0}$	GAUSS'S LAW:- The electric flux is independent of the size and shape of the surface enclosing the charge.	$\Phi = \oiint \vec{E} \cdot d\vec{A} = \frac{Q_{enc}}{\epsilon_0}$
Acceleration of a charged particle q in an electric field E is	$\vec{a} = \frac{q\vec{E}}{m}$	Electric flux is given as	$\Phi = EA \cos \theta$

## PHYSICS 2

## ELECTRIC FORCES AND ELECTRIC FIELDS

ELECTRIC FORCES		GAUSS'S LAW AND ELECTRIC FLUX	
Equations you will need		Equations you will need	
Description	Equation	Description	Equation
Electric field $\vec{E}$ where $q_T$ is the Test charge	$\vec{E} = \frac{\vec{F}}{q_T}$	Electric field and electric potential	
Charge distribution		A). Insulating sphere of radius R, uniform charge density, and total charge Q	$E = \frac{k_e Q}{r^2} \quad V = \frac{k_e Q}{r} \quad \text{When } r > R$
Point charge	$\vec{E} = \frac{k_e q}{r^2} \hat{r}$		$E = \frac{k_e Q}{R^2} \quad V = \frac{k_e Q}{R} \quad \text{When } r = R$
Line charge	$\vec{E} = k_e \int \frac{\lambda dl}{r^2} \hat{r}$		$E = \frac{k_e Q r}{R^3} \quad V = \frac{k_e Q}{2r} \left(3 - \frac{r^2}{R^2}\right)$
Surface charge	$\vec{E} = k_e \int \frac{\sigma dA}{r^2} \hat{r}$		When $r < R$
Volume charge	$\vec{E} = k_e \int \frac{\rho dV}{r^2} \hat{r}$	B). Thin spherical shell of radius R and total charge Q	$E = \frac{k_e Q}{r^2} \quad V = \frac{k_e Q}{r} \quad \text{When } r > R$
<b>Tips to remember</b>			$E = \frac{k_e Q}{R^2} \quad V = \frac{k_e Q}{R} \quad \text{When } r = R$
While drawing electric field lines:			$E = \text{zero} \quad V = \frac{k_e Q}{R} \quad \text{When } r < R$
A). Electric field lines start on a positive charge and terminate on a negative charge.			
B). Two field lines can never cross each other.			
C). The number of field lines drawn leaving or entering a charge is proportional to the magnitude of the charge.			

## ELECTRIC POTENTIAL ENERGY AND ELECTRIC POTENTIAL

## ELECTRIC POTENTIAL

## Equations you will need

Description	Equation	Description	Equation
Electric potential is given as	$V = -\int_{\infty}^r \vec{E} \cdot d\vec{l}$	Electric field and potential due to various charge distributions:	
Electric potential difference between points A and B	$\Delta V = -\int_A^B \vec{E} \cdot d\vec{l}$	A). due to a point charge at a distance r from the charge	$E = \frac{k_e Q}{r^2} \quad V = \frac{k_e Q}{r}$
Electric potential energy	$\Delta U = Q\Delta V$	distance x from one	
Relationship between V and $\vec{E}$ :	$\vec{E} = -\vec{\nabla}V \quad \Delta V = E \cdot d$	B). due to a uniform line charge of length l along the axis at a distance x from the center	$E = \frac{k_e Q}{x(x+l)}$
For a uniformly charged disc of radius R on the axis	$E = 2\pi k_e \sigma \left(1 - \frac{x}{(x^2 + r^2)^{1/2}}\right)$	C). due to a uniformly charged disc of radius r along the axis at a distance x from the center	$V = \frac{k_e Q}{l} \ln\left(1 + \frac{l}{x}\right)$
For a uniformly charged disc of radius R on the axis	$V = 2\pi k_e \sigma ((x^2 + r^2)^{1/2} - x)$		

## ELECTRIC CIRCUITS

## CAPACITANCE AND DIELECTRICS

## Equations you will need

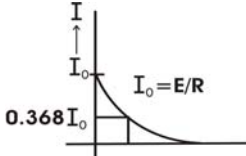
Description	Equation	Description	Equation
Capacitance of a capacitor is	$C = \frac{Q}{\Delta V}$	Capacitance of an isolated charged sphere	$C = 4\pi\epsilon_0 R$
Capacitance of a parallel plate capacitor	$C = \frac{\epsilon_0 A}{d}$	Equivalent capacitance A). Capacitors in parallel:	$C_{eq} = C_1 + C_2 + C_3 + \dots$
Energy stored in a capacitor is	$U = \frac{1}{2} C \Delta V^2 = \frac{Q \Delta V}{2} = \frac{1}{2} \frac{Q^2}{C}$	B). Capacitors in series:	$1/C_{eq} = 1/C_1 + 1/C_2 + 1/C_3 + \dots$
Energy density in an electric field	$u_E = \frac{1}{2} \epsilon_0 E^2$	Capacitance of a capacitor filled with a dielectric	$C = \frac{\kappa \epsilon_0 A}{d}$
Electric dipole moment	$p = 2aq$	Potential energy of a dipole in an external electric field	$U = -\vec{p} \cdot \vec{E}$
Torque on a dipole in an external electric field	$\vec{\tau} = \vec{p} \times \vec{E}$	Induced charge density in a dielectric	$\sigma_{ind} = \sigma \left( \frac{\kappa - 1}{\kappa} \right)$

## DC – CIRCUITS

## Equations you will need

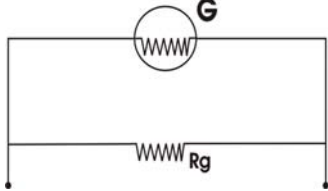
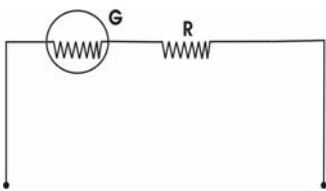
Description	Equation	Description	Equation
Instantaneous current	$I = \frac{dQ}{dt}$	Resistance of a conductor	$R = \frac{\Delta V}{I}$
The relationship between current I and drift velocity $v_d$ :	$I = nev_d A$	Relationship between current density $\vec{J}$ , conductivity $\sigma$ , electric field	$\vec{J} = \sigma \vec{E}$
Variation of resistivity with temperature	$\rho = \rho_0 (1 + \alpha \Delta T)$	Relationship between $v_d$ and $\vec{E}$ :	$v_d = \frac{q \vec{E} \tau}{m_e}$
Power delivered to a resistor	$P = I \Delta V = I^2 R = \frac{\Delta V^2}{R}$	$\tau$ being the time between collisions	

## DIRECT CURRENT CIRCUITS AND METERS

Description	Equation	Description	Equation
Terminal voltage of the battery	$\Delta V = \mathcal{E} - IR$	KIRCHOFF'S RULES: A). The algebraic sum of currents at a junction in a circuit must be zero	$\sum I_{IN} - \sum I_{OUT} = 0$
Equivalent resistance A). Resistors in series B). Resistors in parallel	$R_{eq} = R_1 + R_2 + R_3 + \dots$ $1/R_{eq} = 1/R_1 + 1/R_2 + 1/R_3 + \dots$	B). The algebraic sum of the potential drops in a closed loop of a circuit must be zero.	$\sum_{closed\ loop} \Delta V = 0$
Instantaneous charge and current during charging of a capacitor	$q(t) = C \mathcal{E} (1 - e^{-t/RC})$ $I(t) = \frac{\mathcal{E}}{R} (e^{-t/RC})$	Instantaneous charge and current during discharging of a capacitor 	$q(t) = Q e^{-t/RC}$ $I(t) = -\frac{Q}{RC} e^{-t/RC}$

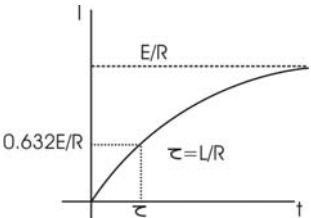
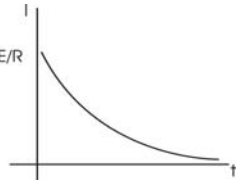
## DIRECT CURRENT CIRCUITS AND METERS

## Equations you will need

Description	Equation	Description	Equation
Conversion of a galvanometer to an ammeter connect a low resistance shunt in parallel with the galvanometer coil: 	$S = \frac{i_g R_g}{(i - i_g)}$	Conversion of a galvanometer to a voltmeter connect a high resistance in series with the galvanometer coil: 	$R = \frac{V}{i_g} - R_g$

## RESISTORS, CAPACITORS AND INDUCTORS IN A DC CIRCUIT

## Equations you will need

Description	Equation	Description	Equation
Growth of current in an RL circuit	$I = \frac{\varepsilon}{R} (1 - e^{-t/\tau})$	Decay of current in an RL circuit	$I = I_0 e^{-t/\tau}$
Where $I = I_0 (1 - e^{-t/\tau})$ $\tau =$ time constant			
Frequency of oscillation in an LC circuit	$f = \frac{1}{2\pi\sqrt{LC}}$	Total energy stored in an LC circuit	$u = u_c + u_L$ $= \frac{Q_{\max}^2}{2C} \cos^2 \omega t + \frac{LI_{\max}^2}{2} \sin^2 \omega t$
At $I = 0$ , purely capacitive ckt	$u = \frac{Q_{\max}^2}{2C}$	At $Q = 0$ , purely inductive circuit	$u = \frac{LI_{\max}^2}{2}$
Decay of charge in an LCR circuit	$Q = Q_{\max} e^{-Rt/2L} \cos \omega_d t$	Damped angular frequency of an LCR circuit	$\omega_d = \left[ \frac{1}{LC} - \left( \frac{R}{2L} \right)^2 \right]^{1/2}$

## MAGENETIC FORCES AND MAGENETIC FIELDS

## MAGENETIC FORCES

## Equations you will need

Description	Equation	Description	Equation
Magnetic force on a charge $q$ moving with a velocity $\vec{v}$ in a magnetic field $\vec{B}$	$\vec{F}_B = q(\vec{v} \times \vec{B})$	Magnetic force on a conductor of length $L$ carrying a current $I$ in a magnetic field $\vec{B}$	$\vec{F}_B = I(\vec{L} \times \vec{B})$
Magnetic dipole moment where $A$ is the area of the loop	$\mu = IA$	Torque on a loop carrying a current in a magnetic field	$\vec{\tau} = \vec{\mu} \times \vec{B}$
Potential energy of a dipole placed in a magnetic field	$U = -\vec{\mu} \cdot \vec{B}$	Radius of the circular path for a charged particle in a magnetic field	$R = \frac{mv}{qB}$

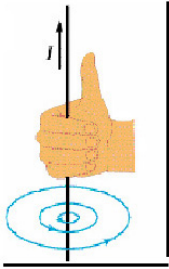
## MAGENETIC FORCES

## Equations you will need

Description	Equation	Description	Equation
Period of revolution in a magnetic field	$T = \frac{2\pi m}{qB}$	Kinetic energy gained in a cyclotron	$KE = \frac{(qBR)^2}{2m}$
Lorentz force	$\vec{F} = q[\vec{E} + (\vec{v} \times \vec{B})]$	Hall voltage across a conductor of width d	$\Delta V_H = \frac{IBd}{nqA}$
Hall co-efficient is given as	$R_H = 1/nq$		

## MAGNETIC FIELD DUE TO CURRENT

## Equations you will need

Description	Equation	Description	Equation
BIOT SAVART LAW Where $\mu_0 = 4\pi \times 10^{-7} \text{ Tm /A}$ and is called the permeability of free space	$\vec{dB} = \frac{\mu_0}{4\pi} \frac{i\vec{ds} \times \vec{r}}{r^3}$	RIGHT- HAND RULE :- Magnetic field around	
Magnetic field due to an infinite wire carrying a current	$B = \frac{\mu_0 I}{2\pi r}$	straight wire : Straight current = thumb	
Magnetic field due to a circular coil carrying current	$B = \frac{\mu_0 I}{2r} .N$	Curled B – field = fingers	
AMPERE'S LAW	$\oint \vec{B} . \vec{ds} = \mu_0 i_{enc}$	Force between 2 wires :- Wires carrying current in the same direction attract and repel if the currents are in opposite direction	$F = \frac{\mu_0 L I_1 I_2}{2\pi d}$
Magnetic field inside a solenoid. where n=number of turns/unit length	$B = \mu_0 in$	Magnetic flux inside a loop	$\phi B = \int \vec{B} . d\vec{A}$ or = $BA \vec{B} \perp r \text{ area} \vec{A}$
Displacement current where $\phi E$ is changing electric flux.	$id = \epsilon_0 \frac{d\phi E}{dt}$	Magnetic moment of the electron where L= orbital angular moment	$\mu = \left( \frac{e}{2me} \right) L$
AMPERE-MAXWELL LAW	$\phi \vec{B} . \vec{ds} = \mu_0 \epsilon_0 \frac{d\phi \epsilon}{dt} + M_0 i_{enc}$	Bohr magneton = $9.27 \times 10^{-24} \text{ J/T}$	$\mu_B = \frac{eh}{4\pi m} = 9.27 \times 10^{-24} \text{ J/T}$
Magnetization $M = \frac{\text{measured magnetic moment}}{\text{volume}}$		Magnetic field strength where n = number of turns/units length.	$H = n I$
$\mu_m =$ magnetic permeability	$B = \mu_m H$	Susceptibility where M=magnetization, H= auxiliary magnitude.	$X_m = \frac{M}{H}$
Relationship between magnetization, applied magnetic field and temperature for a paramagnetic substance CURIE'S LAW C being the curie's constant	$M = \frac{CB_{ext}}{T}$	Relationship between permeability and susceptibility	$\mu_m = \mu_0 (1 + X_m)$
Magnetic field due to a finite segment of wire carrying a current	$B = \frac{\mu_0 I}{4\pi r} \int_{\theta_1}^{\theta_2} \sin \theta d\theta$ $B = \frac{\mu_0 I}{4\pi r} (\cos \theta_1 - \cos \theta_2)$		

## THE REFLECTION OF LIGHT: MIRRORS

## MIRRORS

## Good to know

Properties of image in Flat Mirrors

- 1). Image is far behind as object is in front of it.
- 2). Image is virtual, upright and unmagnified.
- 3). Image is laterally inverted.

Sign convention in mirrors

Quantity	Positive when	Negative when
Object location (p)	Object front of mirror	Object is behind the mirror
Image location (q)	Image is in front of mirror	Image is behind mirror
Image height (h <sub>i</sub> )	Image is upright	Image is inverted
Focal length (f) and radius (R)	Mirror is concave	Mirror is convex
Magnification	Image is upright	Image is inverted

## Equations you will need

Description	Equation	Description	Equation
Energy of a photon	$E = hv$	Laws of reflection of light	$\underline{i} = \underline{r} \quad \theta = \theta'$
The index of refraction of a material	$n = \frac{c}{V} = \frac{\lambda_0}{\lambda}$ $\lambda_0$ = wavelength in vacuum. $\lambda$ = wavelength in medium	Laws of refraction <u>Snell's law</u> For a prism having apex angle A and angle of deviation D. Total internal reflection occurs when only light travel from denser to rarer medium.	$n_1 \sin \theta_1 = n_2 \sin \theta_2$ $n = \frac{\sin(A + D/2)}{\sin A/2}$
Critical angle $\theta_c$ .	$\sin \theta_c = \frac{n_2}{n_1}$ where $n_1 > n_2$		
Images formed by refraction Relation between object distance and image distance for a spherical refracting surface.	$\frac{h_1}{p} + \frac{n_2}{q} = \frac{h_2 - n_1}{R}$ for an object in medium $n_1$	Linear magnification	$M = \frac{h_i}{h_o} = \frac{-q}{p}$
		Mirror equation	$\frac{1}{p} + \frac{1}{q} = \frac{1}{f}$
Flat refracting surface H	$q = \frac{n_2}{n_1} p$	<u>Lenses</u> Len's makers equation focal length of a thin lens	$\frac{1}{f} = (n-1) \left( \frac{1}{R_1} - \frac{1}{R_2} \right)$

## THE REFRACTION OF LIGHT: LENSES AND OPTICAL INSTRUMENTS

## Good to know

Sign convection for thin lenses

Quantity	Positive When	Negative When
Object location (p)	Object in front of lens	Object is in back of lens
Image location (q)	Image is in back of lens	Image is in front of lens
Image height (h')	Image height is upright	Image is in front lens
R <sub>1</sub> and R <sub>2</sub>	Centre of curvature is in back of lens	Centre of curvature is in front of lens
Focal length (f)	Converging lens	Diverging lens

## PHYSICS 2

## THE REFRACTION OF LIGHT: LENSES AND OPTICAL INSTRUMENTS

## LENSES

## Equations you will need

Len's makers equation focal length of a thin lens	$\frac{1}{f} = (n-1) \left( \frac{1}{R_1} - \frac{1}{R_2} \right)$	Magnification	$M = \frac{h_i}{h_o} = \frac{-q}{p}$
Thin lens equation	$\frac{1}{p} + \frac{1}{q} = \frac{1}{f}$	Combination of thin lenses :- Focal length of combination of two thin lens	$\frac{1}{f} = \frac{1}{f_1} + \frac{1}{f_2}$

## OPTICAL INSTRUMENTS

## Equations you will need

Camera f – number	$f_{number} = \frac{f}{D}$ Where D = diameter of lens.	Intensity of light incident on film.	$I \propto \frac{1}{(f/D)^2} \propto \frac{1}{(f_{number})^2}$
Magnifying glass. Eye focused at $\infty$	$M = \frac{N}{f}$ Where N = 25cm for normal eye	Eye focused at near point.	$M = \frac{N}{f} + 1$
Telescope angular magnification	$m = \frac{-f_o}{f_e}$	Compound microscope. Total magnification	$M = m_o M_e$ $= \frac{-L}{f_o} \left( \frac{25cm}{f_e} \right)$ where l = distance between the lenses.

## INTERFERENCE AND WAVE NATURE OF LIGHT

## Good to know

Condition for interference

- 1). Sources must be coherent - that is they must maintain a constant phase with respect to each other.
- 2). The sources must be monochromatic – that is of a single wavelength.

## YOUNG'S DOUBLE SLIT EXPERIMENT

## Equations you will need

Path difference	$\delta = d \sin \theta$	Conditions for	
Position of bright fringe measured from centre.	$Y_{bright} = \frac{\lambda L}{d} m (m = 0, \pm 1, \pm 2 \dots)$	1). Constructive interference	$d \sin \theta_{bright} = m \lambda$
Position of dark fringe measured from centre.	$Y_{dark} = \frac{\lambda L}{d} (m + 1/2) (m = 0, \pm 1, \pm 2 \dots)$	2). Destructive interference	$d \sin \theta_{dark} = (m + 1/2) \lambda$
Intensity at a point	$I = I_{max} \cos^2 \left( \frac{\pi d \sin \theta}{\lambda} \right)$	Thin films: Condition for constructive interference in a film of thickness 't' and index of refraction 'n' surrounded by air.	$2nt = (m + 1/2) \lambda (m = 0, 1, 2, \dots)$
		For destructive interference	$2nt = m \lambda$

## DIFFRACTION

## DIFFRACTION BY DOUBLE SLIT

## Equations you will need

## Equations you will need

Single slit condition for		Intensity	
1). Destructive Interference	$\sin \theta_{dark} = \frac{m \lambda}{a}$		$I(\theta) = I_m (\cos^2 \beta) \left( \frac{\sin \alpha}{\alpha} \right)^2$
2). Constructive interference	$\sin \theta_{bright} = (m + 1/2) \frac{\lambda}{a} (m = \pm 1, \pm 2, \dots)$		where $\beta = \frac{\pi d \sin \theta}{\lambda}$ and $\alpha = \frac{\pi a \sin \theta}{\lambda}$
			d = distance between centers of slit. a = slit width

## YOUNG'S DOUBLE SLIT EXPERIMENT

DIFFRACTION		DIFFRACTION BY DOUBLE SLIT	
Equations you will need		Equations you will need	
The intensity I	$I - I_{\max} = \left[ \frac{\sin(\beta/2)}{\beta/2} \right]^2$ where $I_{\max}$ = intensity at $\theta = 0$ and $\beta = (2\pi/\lambda) a \sin\theta$	Diffraction grating dispersion of a grating – measures of how well lines are separated.	$D = \Delta\theta/\Delta\lambda$ where $\Delta\theta$ = angular separation $\Delta\lambda$ = wavelength difference $D = \frac{m}{d \cos\theta}$ m = order of diffraction d = distance between slits D = grating spacing
Rayleigh's criterion when the central maximum of one image falls on the first minimum of another image, the images are said to be just resolved. The limiting condition of resolution is known as Rayleigh's criterion.		Resolving power R	$R = \lambda_{av}/\Delta\lambda = Nm$ N = number of rulings in the grating
Limiting angle of resolution for a circular aperture.	$\theta_{\min} = \frac{1.22\lambda}{D}$ D = Distance of aperture	Condition for interference maxima for a grating	$d \sin\theta_{\text{bright}} = m\lambda$ for $m = 0, \pm 1, \pm 2, \dots$
For circular aperture first minimum	$\sin\theta = 1.22 \lambda/d$ $\theta$ = angular separation of slit.	X-Ray diffraction BRAGG'S LAW Criterion for intensity maxima	$2d \sin\theta = m\lambda$ for $m = 1, 2, 3, \dots$