

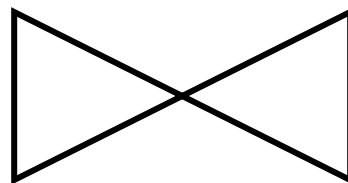
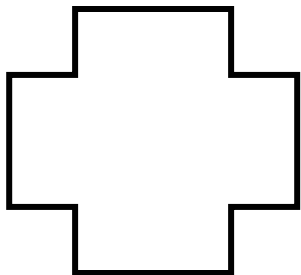
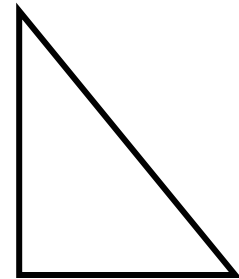
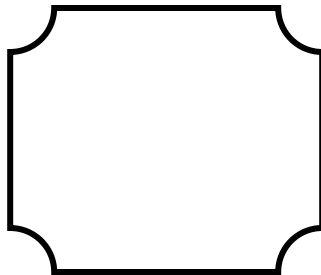
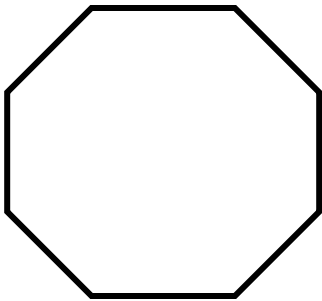
Geometry—Chapter 10

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Geometry—Chapter 10-1

Def: Polygon → a closed figure in which

- the sides that have a common endpoint are noncollinear
- each side intersects two other sides only at their endpoints



All of the above are classified as polygons except two.....which two?

Convex poly → if you extend any side in both directions, it will not extend into the interior of the poly.

Concave poly → the extend side will extend into the interior.

Which of the above polys are concave? convex?

Poly are classified by the number of sides they have.

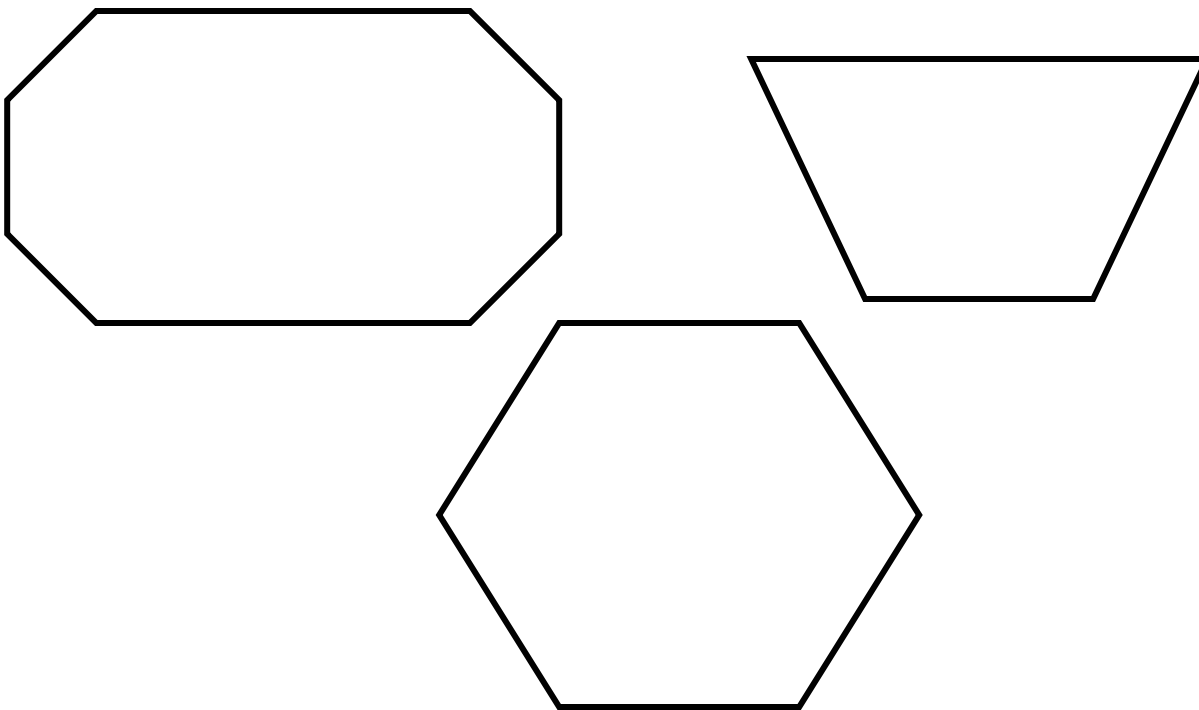
- 3-sided → triangle
- 4-sided → quadrilateral
- etc.....see page 515

In general.....a polygon with n -sides is called an n -gon.

EX: 9-sided → nonagon ; 9-gon

Regular Polygon → a convex polygon with

- all angles congruent
- all sides congruent



Sum of the measures of the **Interior** Angles

$$S = 180(n-2) ; \quad n = \text{number of sides of poly}$$

Measure of **each interior angle** in a **Reg. Poly.**
 Interior Angles-----

$$\underline{\text{Measure of each Interior Angle}} = \frac{180(n-2)}{n}$$

Any Poly—Exterior Angles-----

one at each vertex

$$\text{Sum of the **Exterior Angles** = } 360^\circ$$

Only in **Regular polys**-----

$$\underline{\text{Measure of each Exterior Angle}} = \frac{360}{n}$$



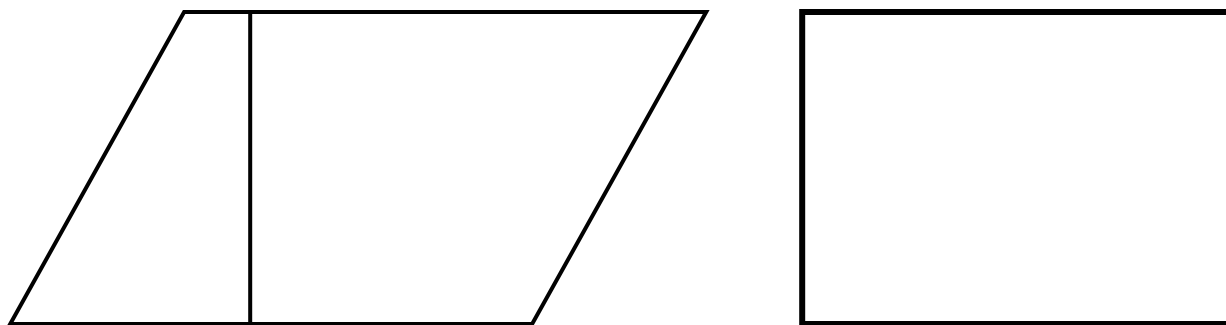
Geometry—Chapter 10-3

Area of Parallelograms

$$A\langle \text{parallelogram} \rangle = b \cdot h \quad b = \text{base}; \quad h = \text{height}$$

base → any side of a parallelogram

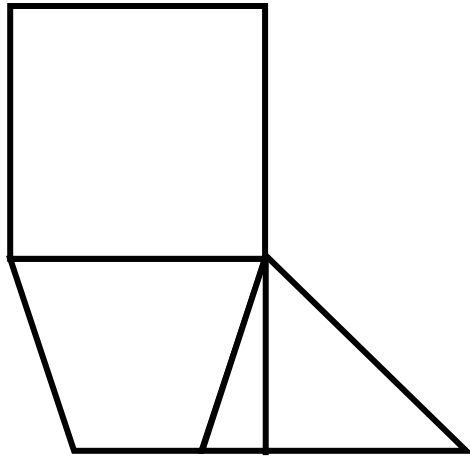
height → the altitude, perpendicular segment between 2 opposite bases



Remember that $A\langle \text{rectangle} \rangle = (\text{length}) (\text{width})$

Also $A\langle \text{parallelogram} \rangle = b \cdot h$

Note: The area of any region is the sum of the areas of all of its non-overlapping parts.



Geometry—Chapter 10-4



Geometry—Chapter 10-5



Geometry—Chapter 10-6

