

Gauss Jordan Algorithm Class


```

flag=0;
for p=i:n,
    if a(p,i) ~=0,
        flag=1;
        break;
    end;
end;
if flag==0, error ('No unique solution '); end;
% step 3 to check
if p~=i,
    for k=1:m,
        tmp=a(i,k);
        a(i,k)=a(p,k);
        a(p,k)=tmp;
    end;
end;
% Step 4 from here the Gauss Jordan method start
a_ii=a(i,i);
for k=1:m
    a(i,k)=a(i,k)/a_ii;
end
for j=1:n
    if j~=i
        % step 5
        m_ji=a(j,i);
        % step 6
        for k=1:m
            a(j,k)=a(j,k)-m_ji*a(i,k);
        end;
    end;
end;
end;
% setp 7
fprintf('The new matrix is \n \n')
for i=1:n
    fprintf (1, ' %f\t',a(i,1:m))
    fprintf (1,'\n \n')
end
fprintf('The inverse Matrix is \n \n ')
for i=1:n
    fprintf(1,'%f\t',a(i,n+1:m))
    fprintf (1,'\n \n')
end

```

Result will be as the Following Matrix

input the number of equation - an integer .

2

Enter the matrix row by row

[2 4]

Enter the matrix row by row
[2 6]

The new matrix is

```
1.000000    0.000000    1.500000    -1.000000
0.000000    1.000000   -0.500000    0.500000
```

The inverse Matrix is

```
1.500000   -1.000000
-0.500000    0.500000
```

We can see the same result if we inverse the matrix as the following way and get the same result

```
z=[ 2 4;2 6]
```

```
z =
```

```
 2  4
 2  6
```

```
>> z^-1
```

```
ans =
```

```
 1.5000  -1.0000
-0.5000   0.5000
```
