

Gauss Elimination Algorithm Class

1st. General Steps of Gauss Elimination from the Book:

Steps	The Condition
Step 1	For $i=1, \dots, n-1$ do step 2-4
Step 2	Let p be smallest integer number while $i \leq p \leq n$ and $a_{pi} \neq 0$ If no integer p can be found Then OUTPUT ('no unique solution exists')
Step 3	If $p \neq i$ then perform $\leftrightarrow E_i$
Step 4	For $j=i+1, \dots, n$ do step 5 to 6
Step 5	Set $m_{ji} = \dots$
Step 6	perform $(E_j - m E_i) \rightarrow E_j$
Step 7	If $a_{nn} = 0$ then OUTPUT ('no unique solution') STOP
Step 8	Set $x_n = \dots$
Step 9	For $i=n-1, \dots, 1$ set $x_i = [a_{i,n+1} - \sum_{j=i+1}^n a_{ij} x_j] / a_{ii}$
Step 10	OUTPUT (x_1, \dots, x_n) <i>procedure completed successfully</i> STOP

Read this steps before copy the program from the note.

Steps as following :-

```
% Gauss Elimination Used for Numerical Method
% note make sure the all line in his position because the sequences of
% order in the operation
clc
clear
% the following step is to enter the size of the equation or number of
% unknowns
fprintf(1,'input the number of equation - an integer \n');
n= input(' ');
% The next steps is for clean the matrix
a=zeros(n,n+1);
x=zeros(1,n);
% you have to enter the value as matrix as [1,1,...(1)] and make sure that
% the last number is present the right side of the equation
for i=1:n
    a(i,1:n+1) = input('Enter the matrix row by row \n')
end;
m=n+1

% the first three step is arranging only
% step 1
for i=1:n-1,

% step 2
    flag=0;
    for p=i:n,
        if a(p,i) ~=0,
            flag=1;
            break;
        end;
    end;

    if flag==0, error ('No unique solution '); end;

% step 3 to check
    if p~=i,

        for k=1:m,
            tmp=a(i,k);
            a(i,k)=a(p,k);
            a(p,k)=tmp;
        end;
    end;

% Step 4 from here the Gauss method start
for j=i+1:n
    % step 5
```

```

    mji=a(j,i)/a(i,i)
    % step 6
    for k=1:m
        a(j,k)=a(j,k)-mji*a(i,k);
    end;
end;
end;

% setp 7
if a(n,n)==0 error('no unique solution '); end;

% step 8 to 9 are for calculate the root

% step 8
x(n)=a(n,n+1)/a(n,n);
% Step 9
for i=n-1:-1:1,
    s=0;
    for j=i+1:n,
        s=s+a(i,j)*x(j);
    end;
    x(i)=(a(i,n+1)-s)/a(i,i);
end;

% Step 10
for i=1:n
    fprintf(1,'x( %d',i);
    fprintf(1,')= %d',x(i));
    fprintf('\n');
end;

```

The value that Entered to the MATLAB are as following: ---

Enter the matrix row by row
[2,3,5]

a =

```

    2   3   5
    0   0   0

```

Enter the matrix row by row
[1,4,9]

a =

```

    2   3   5
    1   4   9

```

```
m =
```

```
3
```

```
mji =
```

```
0.5000
```

```
x( 1)= -1.400000e+000
```

```
x( 2)= 2.600000e+000
```

```
>>
```

Duty for next class

The assignment for lecture is to make the GAUSS JORDAN ALGORITHM before come to class as the GAUSS method