

TEORIJA LETA I – FORMULE

$\tau = \mu \cdot \frac{d\alpha}{dt} = \mu \cdot \frac{du}{dy}$	viskoznost fluida	$T[\text{K}] = t[^\circ\text{C}] + 273,15$		$\delta \vec{F} = p \cdot \delta \vec{S}$	$p = \rho \cdot g \cdot h = \gamma \cdot h$	$\rho = \frac{m}{V}$	$v_s = \frac{1}{\rho}$		
$\rho = \frac{p}{R \cdot T}$	jednadžba stanja idealnog plina	$\rho_r = \frac{\rho}{\rho_{ref}}$	relativna gustoća	$R = 287,053 \text{ J/(kg} \cdot \text{K)}$	$\mu = 1,7894 \cdot 10^{-5} \text{ Pa} \cdot \text{s}$	za zrak pri ISA/SL			
$\nu = \frac{\mu}{\rho} \text{ [m}^2/\text{s]}$	kinematička viskoznost	$\mu = 2,417 \cdot 10^{-7} \cdot T^{0,76} \text{ [Pa} \cdot \text{s]}$		eksponencijalni zakon	$\mu = 1,458 \cdot 10^{-6} \frac{T^{1,5}}{T + 110,4}$	Sutherlandov zakon			
$E = -V \frac{dp}{dV}$	modul elastičnosti fluida	$\frac{dp}{\rho} = \frac{dp}{E}$	$E = \rho \cdot a^2$	$Ma = \frac{V}{a}$	Machov broj	$a = \sqrt{\kappa \cdot R \cdot T}$	brzina zvuka	$\kappa = 1,4$	za zrak
$c_v = \left(\frac{dq}{dT} \right)_{v=const}$	$c_p = \left(\frac{dq}{dT} \right)_{p=const}$		spec. topline pri konstantnom volumenu ili tlaku [J/(kg·K)]		$R = c_p - c_v$	$\kappa = \frac{c_p}{c_v}$	$c_p = \frac{\kappa \cdot R}{\kappa - 1}$	$c_v = \frac{R}{\kappa - 1}$	
$u = c_v \cdot T \text{ [J/kg]}$	unutrašnja energija	$h = u + p \cdot v = c_p \cdot T \text{ [J/kg]}$		entalpija	$ds = \frac{dq_{rev}}{T}$	entropija [J/(kg·K)]	$H = \frac{R_0}{R_0 + h} \cdot h$		
$s_2 - s_1 = c_p \cdot \ln \frac{T_2}{T_1} - R \cdot \ln \frac{p_2}{p_1} = c_v \cdot \ln \frac{T_2}{T_1} + R \cdot \ln \frac{\rho_2}{\rho_1}$	$p_a = p_z + p_p$		Daltonov zakon	$\rho_{vz} = \rho_z + \rho_p$	$\varphi = \frac{\rho_p}{\rho_{p \max}} = \frac{p_p}{p_{pz}}$		rel. vlaž.		
$\frac{dp}{dh} = -\rho \cdot g$	osnova diferencijalna jednadžba aerostatike	$F_Z = \rho \cdot g \cdot V$	sila aerostat-skog uzgona	$g = g_n \cdot \left(\frac{R_0}{R_0 + h} \right)^2$		$\rho_{vz} = \frac{p_a}{R \cdot T} - \frac{\varphi \cdot p_z}{T} \left(\frac{1}{R} - \frac{1}{R_p} \right)$			
$T = T_n - 6,5 \cdot 10^{-3} \cdot H$	$p = p_n \cdot (1 - 2,256 \cdot 10^{-5} \cdot H)^{5,256}$		$\rho = \rho_n \cdot (1 - 2,256 \cdot 10^{-5} \cdot H)^{4,256}$		promjena temperature, tlaka i gustoće zraka u troposferi				
$T = 216,65 \text{ K} = \text{const.}$	$p = 0,22336 \cdot p_n \cdot e^{-1,577 \cdot 10^{-4} (H - 11000)}$		$\rho = 0,29708 \cdot \rho_n \cdot e^{-1,577 \cdot 10^{-4} (H - 11000)}$		temperatura, tlak i gustoća u donjem sloju stratosfere				
$\dot{m} = \frac{\Delta m}{\Delta t} = \rho VA$	$Q = \frac{\Delta V}{\Delta t} = VA$	maseni i volumenski protok	$\dot{m} = \text{const.}$	jednadžba kontinuiteta	$p + \frac{1}{2} \rho V^2 + \rho gz = \text{const.}$		Bernoullijeva jednadžba		
$\frac{\partial}{\partial t} \int_V \rho \vec{v} dV + \int_S (\rho \vec{v} \cdot d\vec{S}) \cdot \vec{v} = \int_V \rho \vec{f} dV - \int_S p d\vec{S} + \vec{F}_{visk} + \vec{F}_{kont} + \vec{F}_{osl}$				jednadžba održanja količine gibanja	$V_e = V \sqrt{\frac{\rho}{\rho_n}}$	ekvivalentna brzina			
$\alpha_a = \alpha - \alpha_{z0}$	$\lambda = \frac{c(s)}{c(0)}$	$AR = \frac{b^2}{S}$	$Z' = c_z \frac{1}{2} \rho_\infty V_\infty^2 A$	$X' = c_x \frac{1}{2} \rho_\infty V_\infty^2 A$	$M'_{PB} = c_{MPB} \frac{1}{2} \rho_\infty V_\infty^2 Ac$	$q_\infty = \frac{1}{2} \rho_\infty V_\infty^2$			
$C_p = \frac{p - p_\infty}{q_\infty} = 1 - \left(\frac{V}{V_\infty} \right)^2$		$c_{M\xi} = c_{MAC} + (c_z \cos \alpha + c_x \sin \alpha)(\bar{\xi} - \bar{\xi}_{AC})$			$\bar{\xi} = \frac{\xi}{c}$	$c_{MPB} = -\xi_{CP}(c_z \cos \alpha + c_x \sin \alpha)$			
$u = \frac{\partial \phi}{\partial x} = \frac{\partial \psi}{\partial y}$	$v = \frac{\partial \phi}{\partial y} = -\frac{\partial \psi}{\partial x}$	$w = \phi + i\psi$	$z = x + iy = re^{i\theta}$	$r = \sqrt{x^2 + y^2}$	$e^{i\theta} = \cos \theta + i \sin \theta$		$\theta = \arctg \frac{y}{x}$		
$\vec{V} = \frac{dw}{dz} = u - iv$	kompleksna brzina	$F'_a = \rho_\infty V_\infty \Gamma b$	teorem Joukowskog	$c_z = 2\pi\alpha_a$	$d\vec{V} = \frac{\Gamma}{4\pi} \frac{d\vec{y} \times \vec{r}}{ \vec{r} ^3}$	Biot – Savartov zakon			
$-\frac{1}{2\pi} \int_0^c \frac{\gamma(x) dx}{x_0 - x} + V_\infty \sin \left[\alpha - \arctg \left(\frac{dz}{dx} \right)_0 \right] = 0$			osnovna jednadžba tankog aeroprofila	$c_z = 2\pi\alpha$	$c_{MPB} = -\frac{\pi}{2} \alpha$	$\bar{x}_{CP} = \bar{x}_{AC} = \frac{1}{4}$		simetrični aeroprofil	
$A_0 = \alpha - \frac{1}{\pi} \int_0^\pi \frac{dz}{dx} d\theta$	$A_n = \frac{2}{\pi} \int_0^\pi \frac{dz}{dx} \cos(n\theta) d\theta$	$c_z = 2A_0\pi + A_1\pi$	$\alpha_{z0} = \frac{1}{\pi} \int_0^\pi \frac{dz}{dx} (1 - \cos \theta) d\theta$	$c_{MPB} = -\frac{\pi}{2} \left(A_0 + A_1 - \frac{A_2}{2} \right)$					
$\bar{x}_{CP} = \frac{1}{4} - \frac{\pi}{4} (A_2 - A_1) \frac{1}{c_z}$	$c_{Mx} = -\frac{c_z}{4} - \frac{\pi}{4} (A_1 - A_2) + \frac{x}{c} c_z$	$c_{MAC} = -\frac{\pi}{4} (A_1 - A_2)$	$\bar{x}_{AC} = \frac{1}{4}$	$c_z = 2\pi\alpha_a$	zakrivljeni aeroprofil				
$Re = \frac{\rho V x}{\mu} = \frac{Vx}{\nu}$	$Z = C_z \frac{1}{2} \rho_\infty V_\infty^2 A$	$X = C_x \frac{1}{2} \rho_\infty V_\infty^2 A$							

$\alpha_i = \operatorname{tg}^{-1} \frac{w_{y0}}{V_\infty} \approx \frac{w_{y0}}{V_\infty}$	$\alpha_a = \alpha_0 - \alpha_i$	$\alpha_a = \alpha - \alpha_{z0}$	$C_{xi} = \frac{C_z^2}{\pi AR}$	$\alpha_i = \frac{C_z}{\pi AR}$	$m = \frac{m_0}{1 + \frac{m_0}{\pi AR}}$	eliptično krilo	
$AR = \frac{b^2}{S}$	aspektni odnos	$C_z = m \alpha_a$	$C_{xi} = \frac{C_z^2}{\pi AR} (1 + \delta)$	$\delta = \sum_{n=2}^N n \left(\frac{A_n}{A_1} \right)^2$	$e = \frac{1}{1 + \delta}$	$C_{xi} = \frac{C_z^2}{\pi e AR}$	za krila drugih oblika
$\alpha_a = \alpha_0 + \frac{C_z}{\pi AR} (1 + \tau)$		$\alpha_1 = \alpha_2 + \frac{C_z}{\pi} \left(\frac{1 + \tau_1}{AR_1} + \frac{1 + \tau_2}{AR_2} \right)$		$Z = C_z \frac{1}{2} \rho_\infty V_\infty^2 A$		$X = C_x \frac{1}{2} \rho_\infty V_\infty^2 A$	$M = C_M \frac{1}{2} \rho_\infty V_\infty^2 Ac$
$M_{AC,K} = C_{MAC,K} \frac{\rho V_\infty^2}{2} S c_a$		$x_{CP,K} = \frac{-M_{RC}}{Z}$	$M_{RC} = M_{AC,K} - Z x_{AC,K}$		$x_{AC,K} = - \frac{(dM_{RC} / d\alpha)}{(dZ / d\alpha)}$		$x_{AC,K} = \frac{b}{6} \frac{1 + 2\lambda}{1 + \lambda} \operatorname{tg} A$
$\delta = 5,0 \sqrt{\frac{Vx}{U}}$	$\bar{C}_{f_l} = 1,328 \sqrt{\frac{\nu}{Ul}}$	$X_{f_l} = \bar{C}_f \frac{\rho U^2}{2} A$	laminarni granični sloj	$Re_{krl} = 5 \cdot 10^5$	$Re_{kr} = \frac{\rho V x_{kr}}{\mu}$	tranzicija laminarnog u turbulentni granični sloj	
$\delta = 0,371 x^{0,8} \left(\frac{\nu}{U} \right)^{0,2}$	$\bar{C}_{f_t} = 0,074 \frac{1}{Re^{0,2}}$	$\bar{C}_{f_t} = \frac{0,455}{(\log Re)^{2,58}}$ za $Re > 10^7$		$X_{f_t} = \bar{C}_f \frac{\rho U^2}{2} A$		turbulentni granični sloj	
$\bar{C}_{f_{fl}} = \frac{0,074}{Re^{0,2}} - \frac{1700}{Re}$		$\bar{C}_{f_{fl}} = \frac{0,455}{(\log Re)^{2,58}} - \frac{1700}{Re}$ za $Re > 10^7$		laminarno-turbulentni granični sloj		$C_{f_{stl}} = \frac{C_{f_{nestl}}}{\left(1 + 0,144 Ma_\infty^2 \right)^{0,65}}$	
$X_{uk} = X_0 + X_l$	$X_0 = X_{0,f} + X_{0,p}$	$X_l = X_{l,f} + X_{l,i}$	$X_{uk} = \sum_{j=1}^n X_j$		$X_j = C_{xj} \frac{1}{2} \rho V_\infty^2 A_{ref}$	$X_{uk} = C_{xuk} \frac{1}{2} \rho V_\infty^2 A_{ref}$	
$C_{xuk} = K_0 + K_1 C_z^2$		polara zrakoplova					
$\tau = \frac{\partial C_L / \partial \delta_f}{\partial C_L / \partial \alpha_u} = \frac{\partial \alpha_u}{\partial \delta_f}$		djelotvornost upravljačke površine		$L = C_L q_\infty S_{up}$	$H = C_h q_\infty S_f c_f$	$M = C_M q_\infty S_{up} c$	aerodin. karakteristike upravljačkih površina
$Ma = \frac{V}{a}$	$a = \sqrt{\kappa RT} = \sqrt{\frac{\kappa p}{\rho}}$	$c_p T + \frac{V^2}{2} = const.$		$\frac{a^2}{\kappa - 1} T + \frac{V^2}{2} = const.$		Bernoulli-Lagrangeova jednačba	$\frac{p}{\rho^\kappa} = const.$
$C_p = \frac{p - p_\infty}{0,5 \rho_\infty V_\infty^2} = \frac{2}{\kappa Ma_\infty^2} \left(\frac{p}{p_\infty} - 1 \right)$		$C_p \cong - \frac{2 \hat{u}}{V_\infty}$	$C_p = \frac{C_{p, nestl}}{\beta} = \frac{C_{p, nestl}}{\sqrt{1 - Ma_\infty^2}}$		$C_z = \frac{C_{z, nestl}}{\sqrt{1 - Ma_\infty^2}}$	$C_M = \frac{C_{M, nestl}}{\sqrt{1 - Ma_\infty^2}}$	
$x_{CP} = x_{CP, nestl}$	$x_{AC} = x_{AC, nestl}$	$C_{p, kr} = \frac{2}{\kappa Ma_{\infty, kr}^2} \left\{ \left[\frac{2 + (\kappa - 1) Ma_{\infty, kr}^2}{\kappa + 1} \right]^{\frac{\kappa}{\kappa - 1}} - 1 \right\}$				$Ma_{\infty, kr} = \frac{V_{\infty, kr}}{a}$	
$V_0 = \sqrt{V^2 + V_t^2}$	$V_t = r \varpi = 2 \pi r n$	$\alpha_a = \beta - \phi$	$H = 2 \pi r \operatorname{tg} \beta$	$H_a = 2 \pi r \operatorname{tg} \phi = \frac{V}{n}$	$S_k = H - H_a$	$\sigma_p = \frac{mc}{2 \pi r}$	
$A_p = \frac{D^2 \pi}{4}$	$F_v = \rho A_p \left(V + \frac{\Delta V_u}{2} \right) \Delta V_u = \dot{m} \Delta V_u$		$P_u = \dot{m} V \Delta V_u \left(1 + \frac{\Delta V_u}{2V} \right)$		$P_k = F_v V = \dot{m} V \Delta V_u$	$\eta_i = \frac{P_k}{P_u} = \frac{1}{1 + \Delta V_u / (2V)}$	
$\operatorname{tg} \phi = \frac{V}{V_t} = \frac{V}{2 \pi r n}$	$J = \frac{V}{nD}$	$F_v = C_T \cdot \rho \cdot n^2 \cdot D^4$	$P_u = C_p \cdot \rho \cdot n^3 \cdot D^5$	$\eta_e = \frac{\operatorname{tg} \phi}{\operatorname{tg}(\phi + \gamma)}$		$\eta = \frac{P_k}{P_u} = \eta(J, \beta)$	
$\gamma = \frac{\delta X}{\delta Z} = \frac{c_x}{c_z}$	$C_s = \frac{V / (nD)}{C_p^{0,2}} = V \left(\frac{\rho}{P_u n^2} \right)^{0,2}$		$V_{0P} = \sqrt{V^2 + (D \pi n)^2}$		$Ma_{0P} = Ma \sqrt{1 + \left(\frac{\pi}{J} \right)^2}$	$\vec{M}_3 = (I_1 \vec{\vartheta}_1) \times \vec{\vartheta}_2$	
$\frac{l_{m1}}{l_{o1}} = \frac{l_{m2}}{l_{o2}} = \dots = k_g = \operatorname{const.}$		$\frac{V_{m1}}{V_{o1}} = \frac{V_{m2}}{V_{o2}} = \dots = k_k = \operatorname{const.}$		$\frac{F_{in,m1}}{F_{in,o1}} = \frac{F_{in,m2}}{F_{in,o2}} = \frac{F_{\mu,m1}}{F_{\mu,o1}} = \frac{F_{\mu,m2}}{F_{\mu,o2}} = \frac{F_{p,m1}}{F_{p,o1}} = \dots = k_F = \operatorname{const.}$			
$Re = \frac{\rho V x}{\mu} = \frac{V x}{\nu}$	$Ma = \frac{V}{a}$	$Fr = \frac{V^2}{gl}$	$Eu = \frac{\Delta p}{\rho V^2} = \frac{C_p}{2}$	$St = \frac{l f}{V_\infty}$	$I_t = \frac{\sqrt{V}^2}{V_\infty}$	$\varepsilon_t = \frac{\sqrt{u}^2}{V_\infty}$	
$Re_m = Re_o$	$Ma_m = Ma_o$	$Fr_m = Fr_o$	$Eu_m = Eu_o$	$St_m = St_o$	$I_{t,m} = I_{t,o}$	$\varepsilon_{t,m} = \varepsilon_{t,o}$	