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**EE327-NETWORKS LAB. REPORT**

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Number of The Experiment : **10-11**  
Name of The Experiment : **Computer Simulations**

Name of The Student: **Çağdaş Kayra Akman**

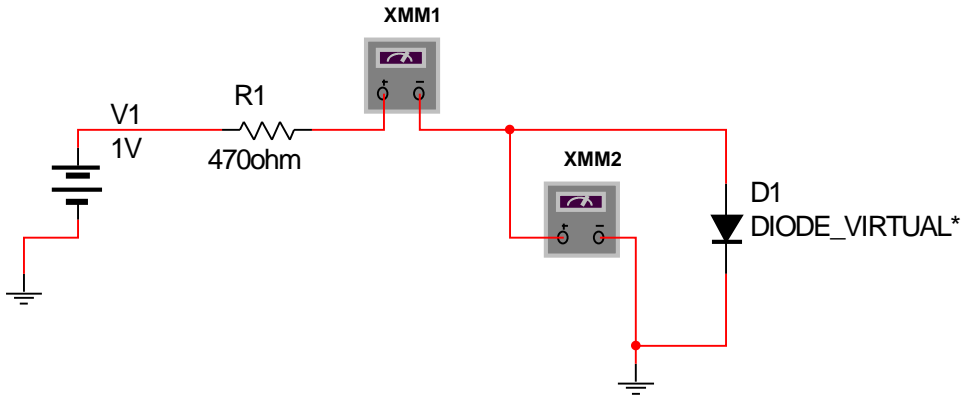
Dadline for The Submission of the Report	10.01.2003
Date of The Submission of the Report:	10.01.2003

Delay

## EXPERIMENT 10

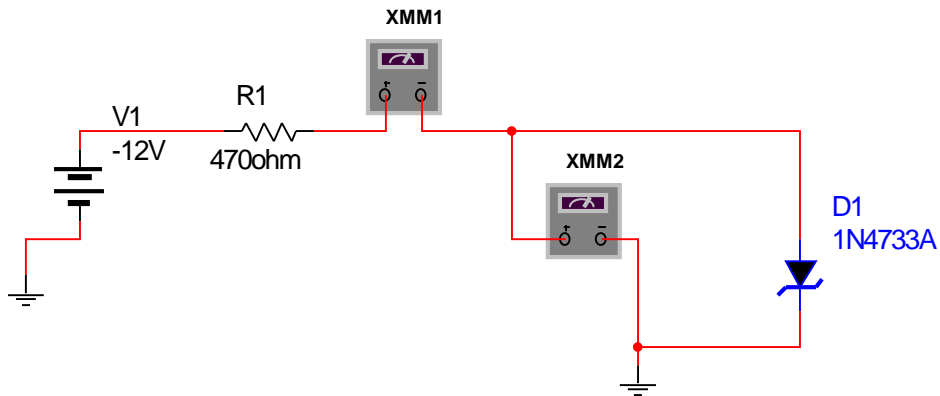
### Experiment 1:

Part 4:



	1	2	3	4	5	6	7	8	9	10	11
$V_{supply}(V)$	0	0.4	0.5	0.6	1	1.2	-2	-4	-5	-10	-12
$V_{Diode}(V)$	0	0.4	0.49	0.58	0.65	0.66	-2	-4	-5	-10	-12
$I_{Diode}(mA)$	0	0	0.02	0.05	0.75	1.15	0	0	0	0	0

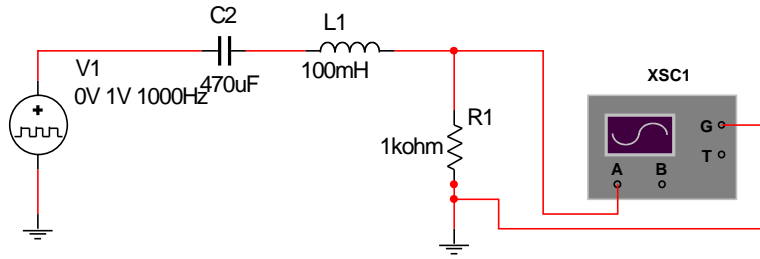
Part 5:



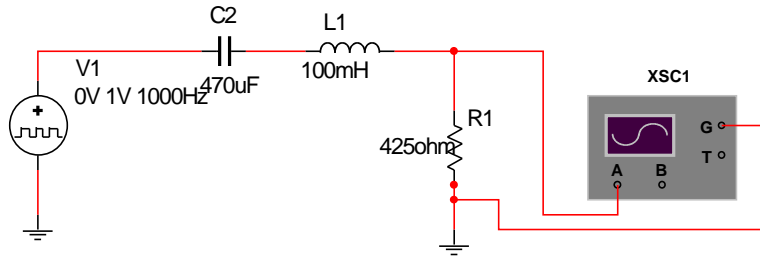
	1	2	3	4	5	6	7	8	9	10	11
$V_{supply}(V)$	0	0.4	0.5	0.6	1	1.2	-2	-4	-5	-10	-12
$V_{Diode}(V)$	0	0.4	0.44	0.46	0.50	0.50	-2	-4	-4.94	-5.06	-5.07
$I_{Z-diode}(mA)$	0	0.02	0.13	0.29	1.07	1.48	0	0	-0.12	-10.5	-14.75



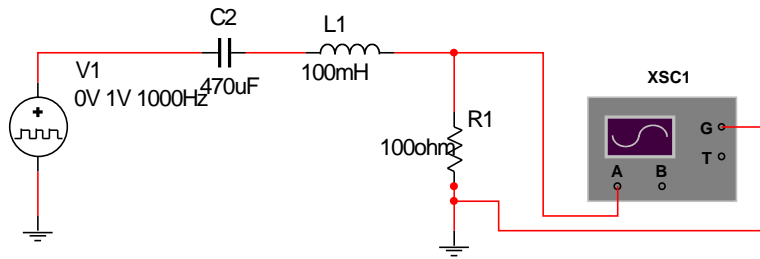
Part 14:



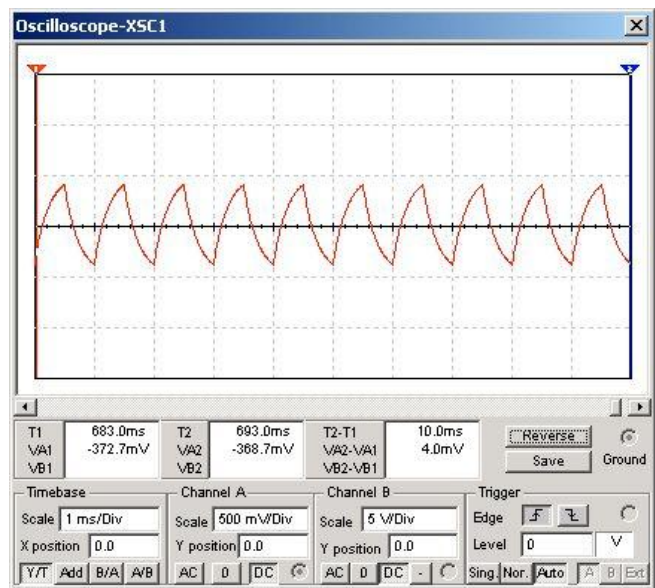
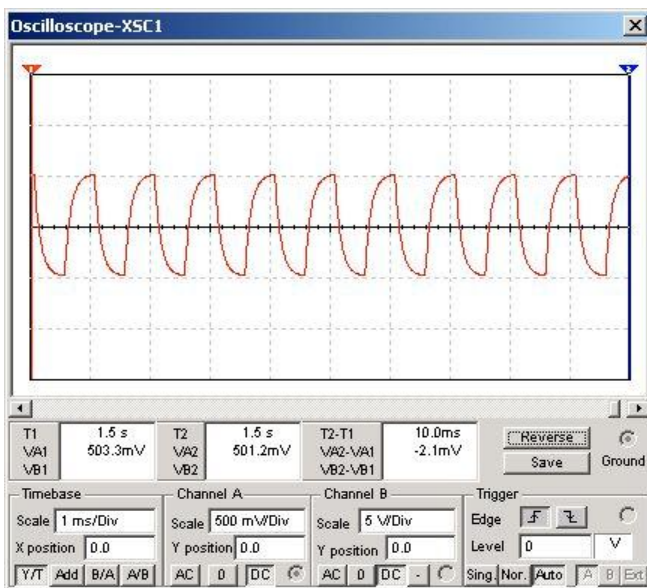
$(RC/2L)=2.35 > 1$

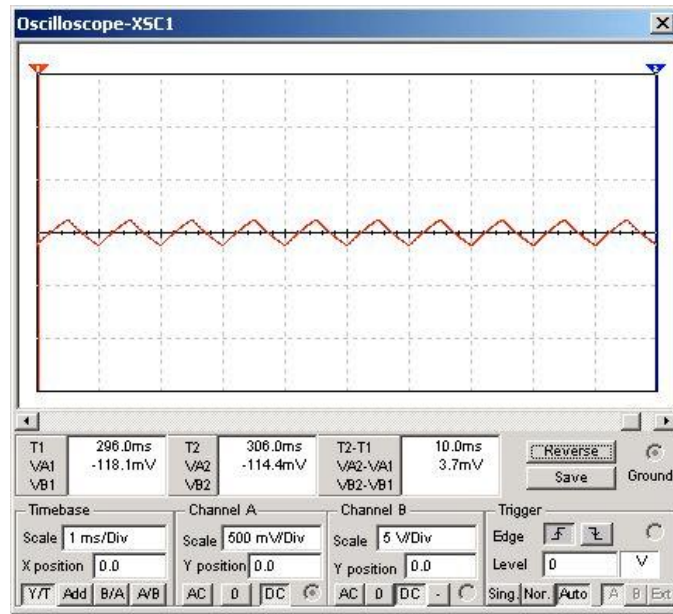


With  $R=425\Omega$ ,  $(RC/2L) \approx 1$



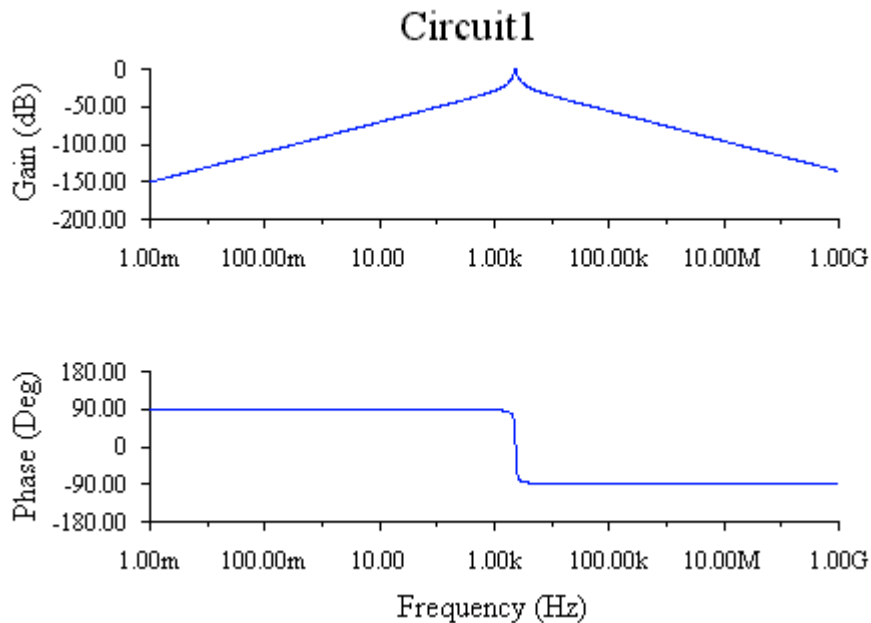
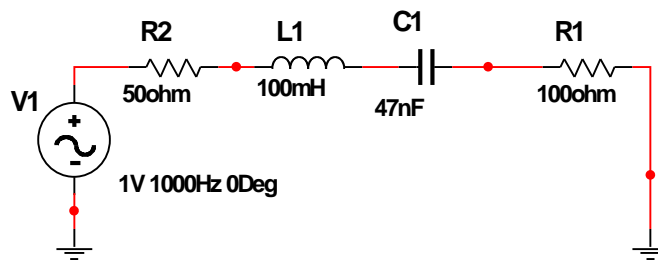
With  $R=100\Omega$ ,  $(RC/2L) < 1$





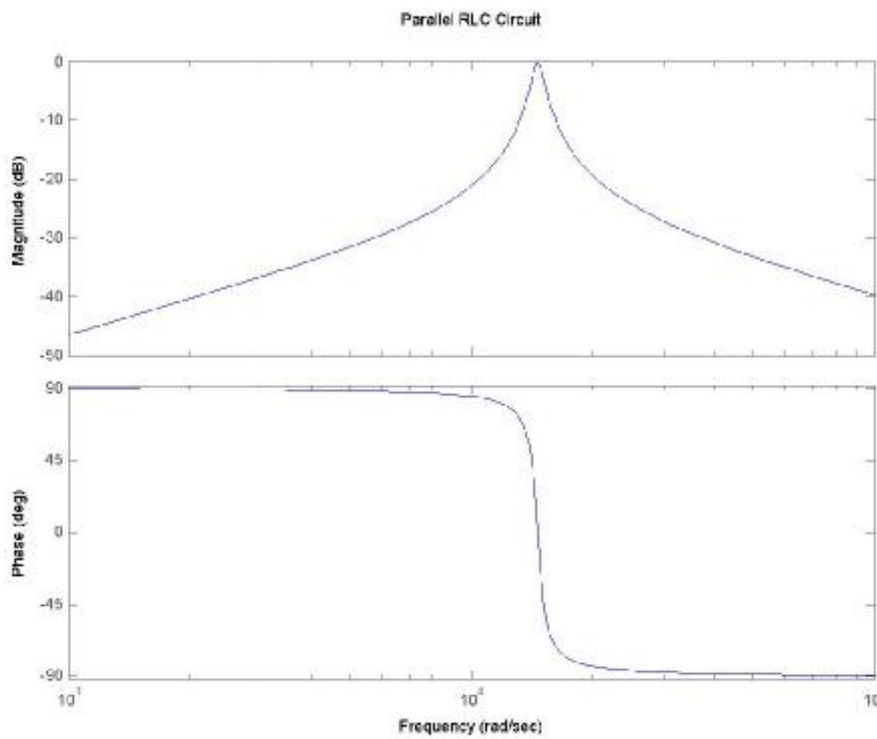
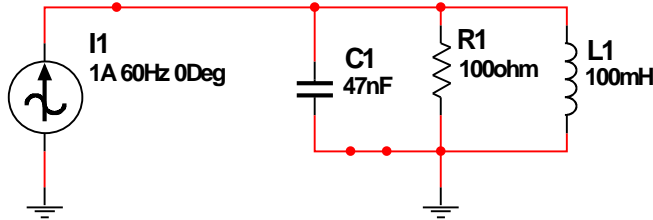
**Experiment 4:**

Series RLC Circuit and its bode plot: The bode plot is obtained with Multisim using the Bode Plotter tool.



Parallel RLC Circuit and its bode plot: In the experiment a high resistance was connected in series with the voltage source to obtain a current source. The bode plot of the circuit is obtained with MATLAB using the transfer function

$$H(j\omega) = \frac{R}{R + j\omega L + \frac{1}{j\omega C}}$$



**Experiment 5:**

Bode plots for the 3rd order Butterworth filters are obtained from the transfer functions below:

1. A 3<sup>rd</sup> order Butterworth low pass filter of has the transfer function:

$$H(s) = \frac{\omega^3 / 2}{s^3 + 2\omega s^2 + 2\omega^2 s + \omega^3},$$

where  $\omega$  is the cut-off frequency in rad/sec.

A 3<sup>rd</sup> order Butterworth high-pass filter has the transfer function:

$$H(s) = \frac{s^3 / 2}{s^3 + 2\omega s^2 + 2\omega^2 s + \omega^3},$$

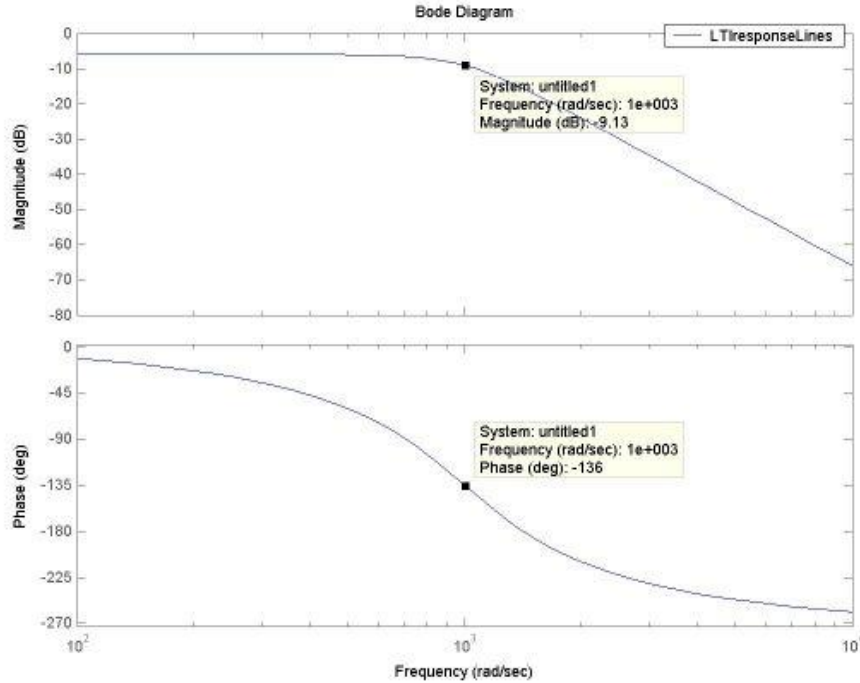
where  $\omega$  is the cut-off frequency in rad/sec.

A 3<sup>rd</sup> order Butterworth band-pass filter has the transfer function:

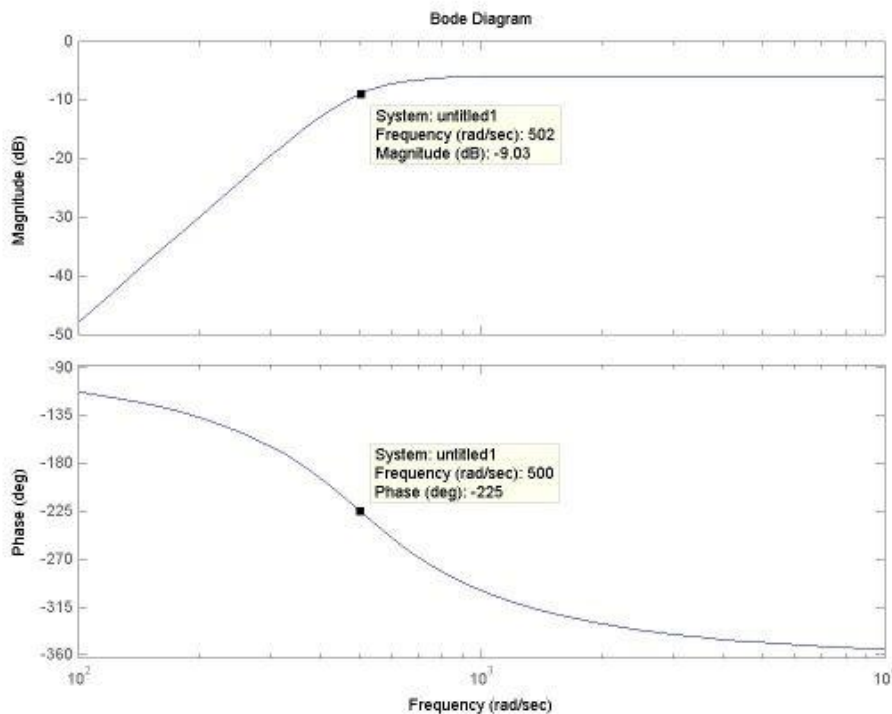
$$H(s) = \frac{B^3 s^3}{2s^6 + 2Bs^5 + 2B^2s^4 + B^3s^3 + 3\omega^2s^4 + 4B\omega^2s^3 + 2B^2\omega^2s^2 + 3\omega^4s^2 + 2B\omega^4s + \omega^6}$$

These transfer functions are obtained using MATLAB:

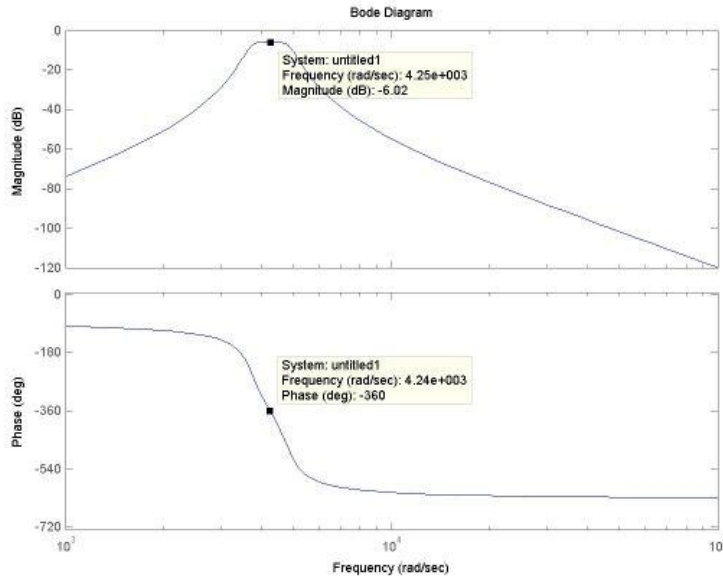
Butterworth LPF ( $f_c=159\text{Hz}$   $\omega_c=1000\text{rad/sec}$ )



Butterworth HPF ( $f_c=159\text{Hz}$   $\omega_c=1000\text{rad/sec}$ )

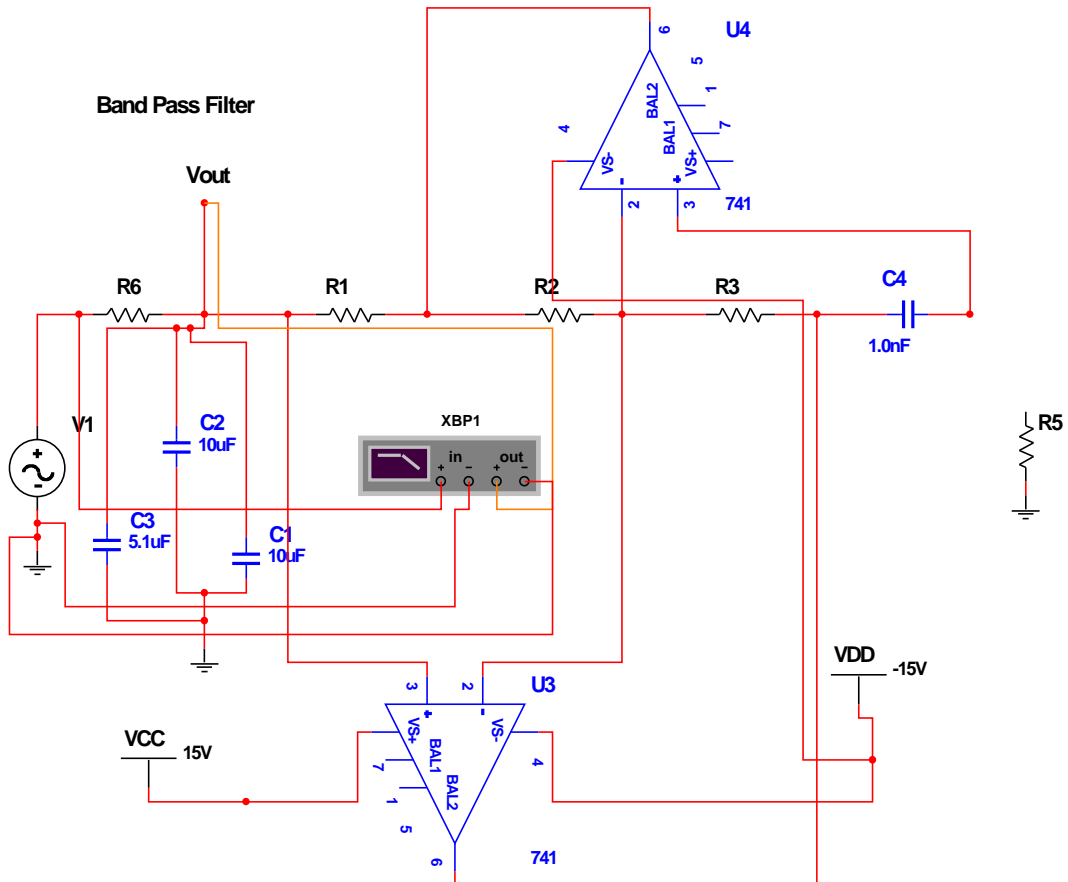


Butterworth BPF ( $f_c=675\text{Hz}$   $\omega_c=4240\text{rad/sec}$ ,  $\text{BW}=200\text{Hz}$   $B=1260\text{rad/sec}$ )

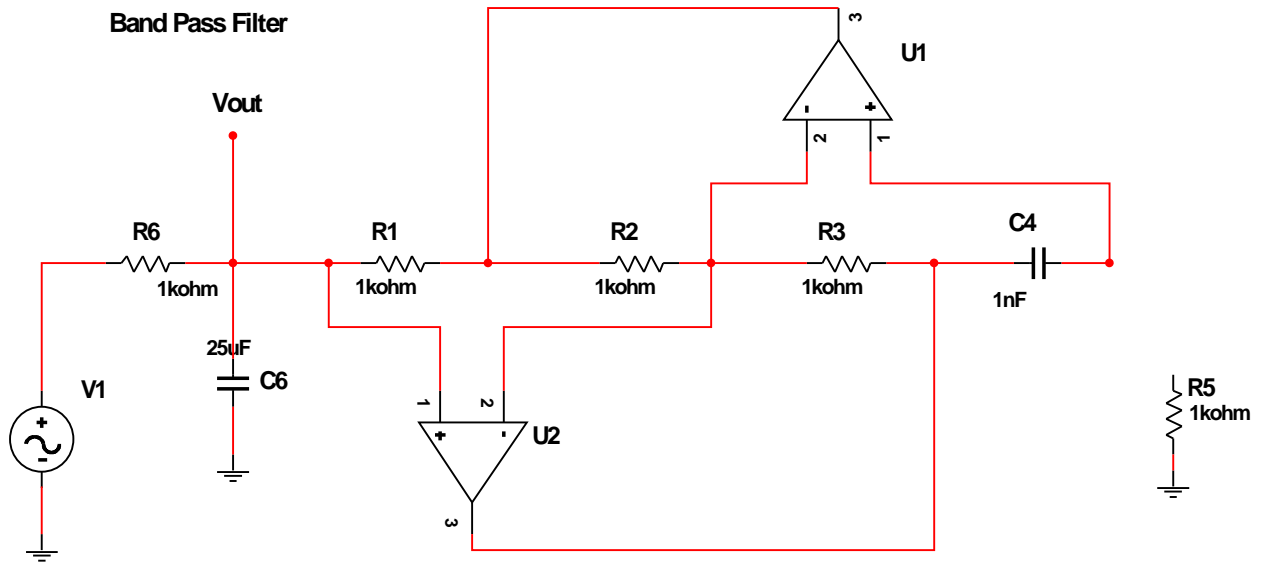


### Experiment 9:

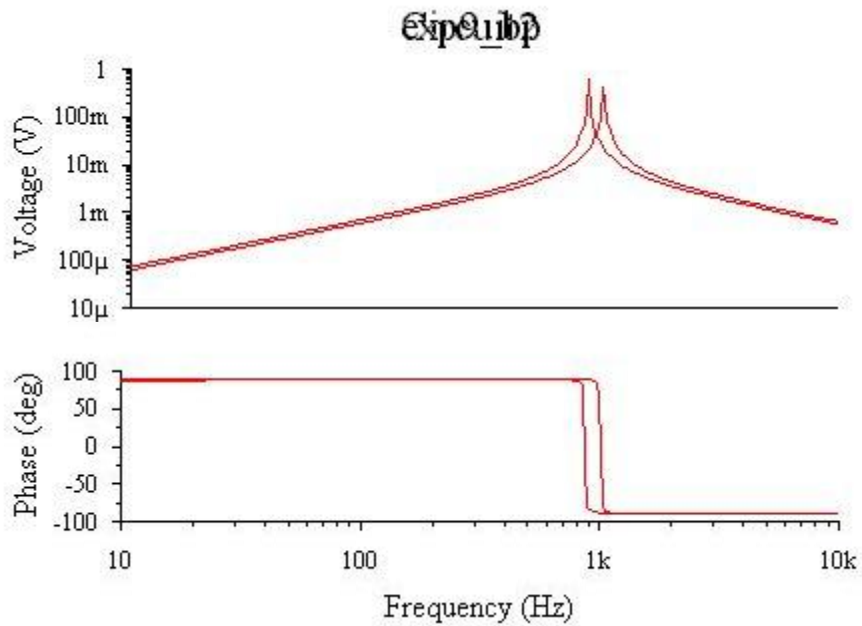
The circuit to simulate the band pass filter. The capacitors and op-amps are substituted with actual models.



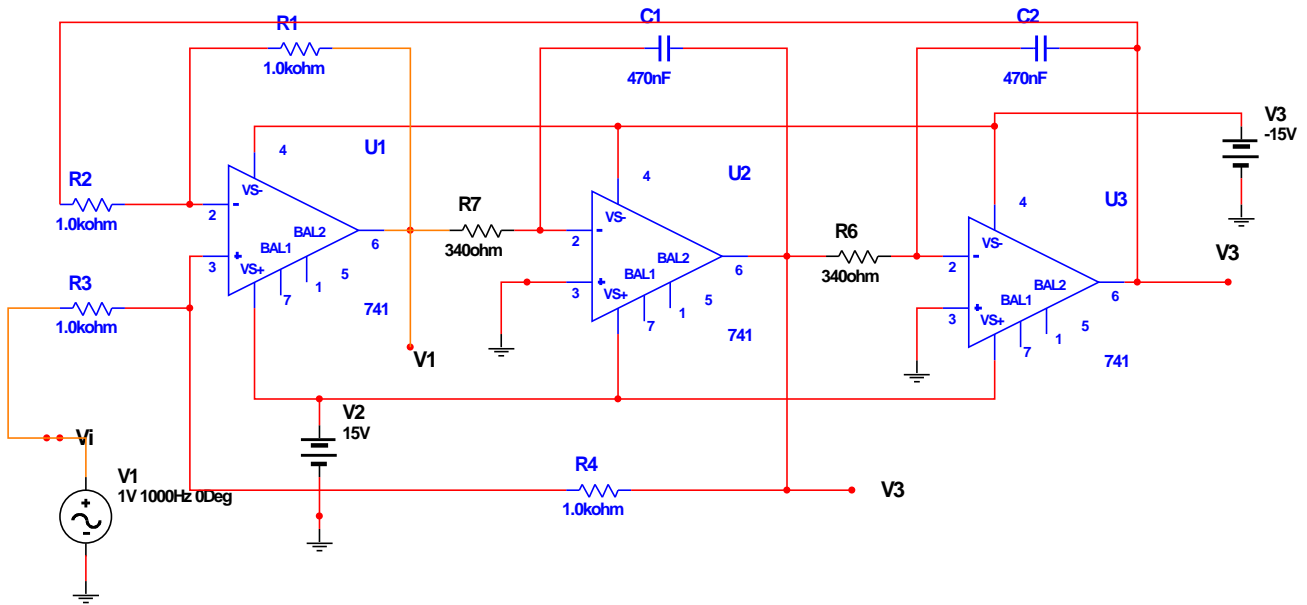
The circuit with ideal models:



The bode plots obtained from these circuits are put on top of each other to observe the differences:  
 The center frequencies are somewhat different. Moreover, the peak values in magnitude plots are slightly different.

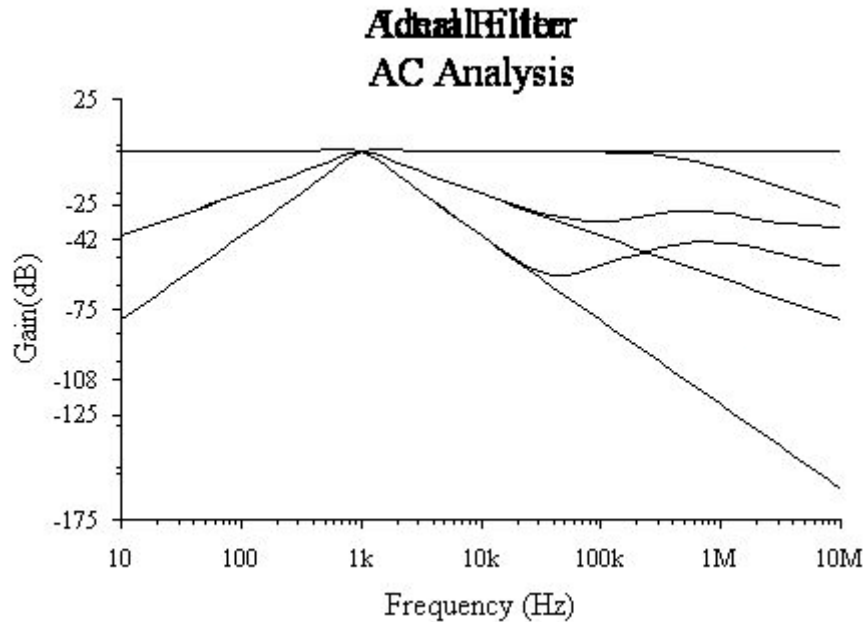
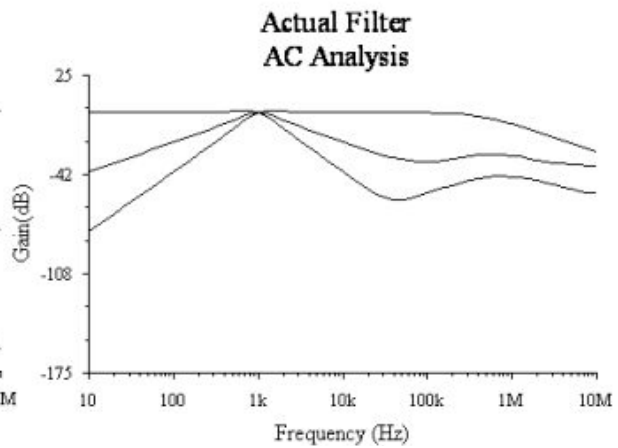
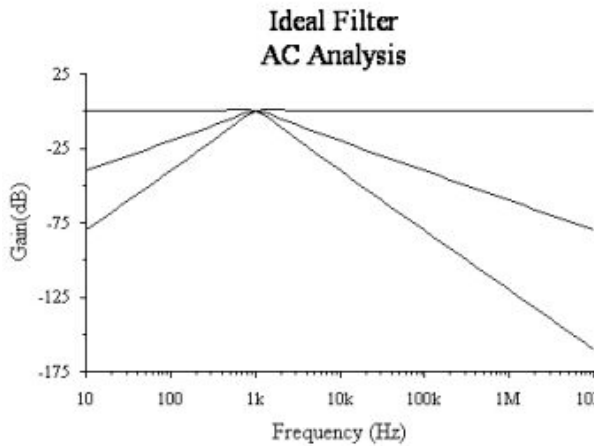


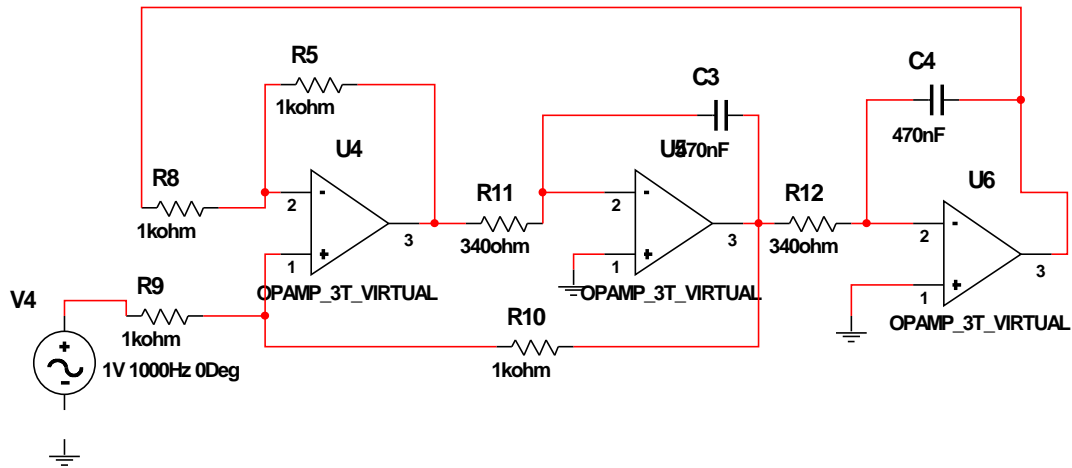
## EXPERIMENT 11



Actual Filter ( $f_0=1\text{kHz}$ )

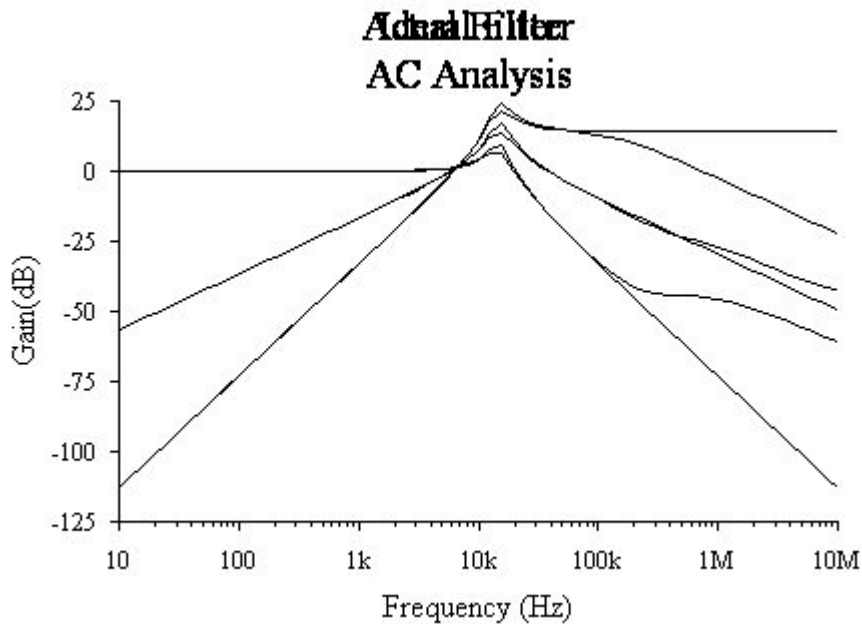
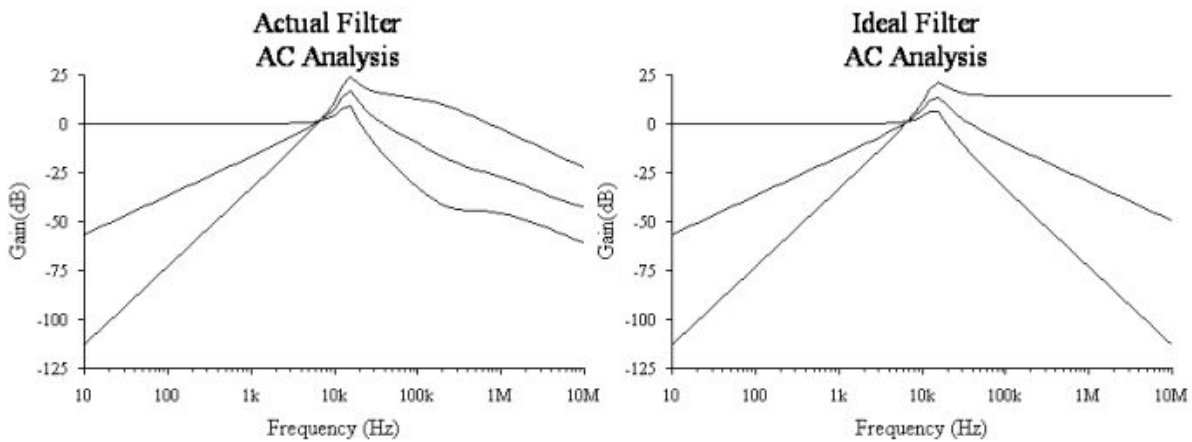
For  $f_0=1\text{kHz}$  and  $Q=1$ :  $R_0=R_1=R_2=R_3=1\text{k}\Omega$ ,  $R=340\Omega$ ,  $C=470\text{nF}$





Ideal Filter ( $f_0=1\text{kHz}$ )

For  $f_0=10\text{kHz}$  and  $Q=5$ :  $R_0=R_3=5.1\text{k}\Omega$ ,  $R_1=R_2=1\text{k}\Omega$ ,  $R=470\Omega$ ,  $C=51\text{nF}$ .



Usage of three op-amps is the main reason that the ideal and actual results differ. Unlike the ideal op-amp, actual op-amps have finite input resistance, draw current, have finite gain. Therefore, after a certain frequency, the responses of actual filters become distorted.