



Data Security with International Data Encryption Algorithm

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Abstract

Information security is very important nowadays, how to secure data certainly requires a technique one of which is the use of cryptography, IDEA algorithm is one of cryptographic algorithms that can be used to secure the message, and in this research IDEA algorithm process is displayed gradually to facilitate the development of IDEA algorithm in various purposes

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INTRODUCTION

Cryptographic methods are used to ensure confidential data to be unknown to others [1] [2] [3] [4] [5]. Cryptographic methods can be used to secure various types of data by using certain algorithms, and each cryptographic algorithm has its advantages and disadvantages [4] [5]. However, the biggest problem is how to know and understand the workings of the cryptographic algorithm so that the algorithm can be used optimally for the desired object [4], one of the cryptographic algorithms that could be utilized is the International Data Encryption Algorithm (IDEA).

The IDEA algorithm uses confusion and diffusion in its encryption process. Different from other block cipher methods, IDEA uses incompatible algebraic operations XOR, module 216 addition, and multiplication modulo $216 + 1$. This multiplex operation modulo $216 + 1$ replaces the Substitution Box (S-Box) [6] [7]. In this paper will explain the working procedures of IDEA algorithm in securing messages both SMS Messages, Text Messages, Word and so on in the form of text, It is expected that with the publication of the working procedure IDEA algorithm can be implemented in stages for various purposes of data security, besides how the workings of IDEA algorithm in the key generation, process of encryption and decryption is also very important and in this paper is displayed step by step so the reader know how the process working.

METHODOLOGY

A. Cryptography

Cryptography is a field of science that learns about how to conceal an important information into a form that cannot be read by anyone and return it back to the original data by using various techniques that already exist so that the information cannot be known by any party who is not the owner or who are not interested [3] [4] [8]. The other side of cryptography is cryptanalysis which is the study of how to solve cryptographic mechanisms.

For most people, cryptography takes precedence in keeping communication secret and extraordinary. As has been known and agreed that the protection of sensitive communication has been of particular concern to the importance of using cryptography. However, this is only part of the application of cryptography today [4] [9].

B. International Data Encryption Algorithm

IDEA is a block cipher algorithm that operates on a 64-bit plaintext block. The key length is 128 bits, by encryption and decryption using the same (symmetrical) key [6], the IDEA algorithm uses confusion and diffusion on encryption and uses the following incompatible algebraic operations [6] [7]:

1. XOR.
2. Added modulo 216.
3. Multiplication modulo 216 + 1 (this operation replaces the S-box or S-Box).

The IDEA algorithm uses multiplication modulo 216 + 1 with the consideration that multiplication with zero always yields zero and has no inversion. Multiplication modulo n also has no inversion if the number multiplied is not relatively prime to n. While cryptographic algorithms require operations that have inversions. The number 65537 (216 + 1) is a prime number. Therefore, modulo multiplication operation (216 + 1) on the IDEA algorithm has an inversion, if forming a multiplication table for numbers ranging from 1 to 65536, each row and column contains only one number once. In IDEA, for multiplication operations, a 16-bit number consisting of zeros is all considered a number 65536, while other numbers remain under the unmarked numbers it represents. This IDEA algorithm could be divided into three parts, such as key generation, encryption and decryption [6] [7] [10] [11].

C. Key Generation

The process of key generation begins by dividing 128-bit keys into eight pieces of the 16-bit subkey. These are the first eight subkeys for the algorithm with details of the first six subkeys for round 1 and the last two subkeys for round 2. The key is rotated 25 bits to the left and is divided into eight subkeys again. These are the eight-second subkeys for the algorithm with the details of the first four subkeys for round 2 and the last four for the round 3. The algorithm uses only 52 subkeys with six subkeys for eight rounds plus four subkeys for output transformation [10] [11], see figure below:

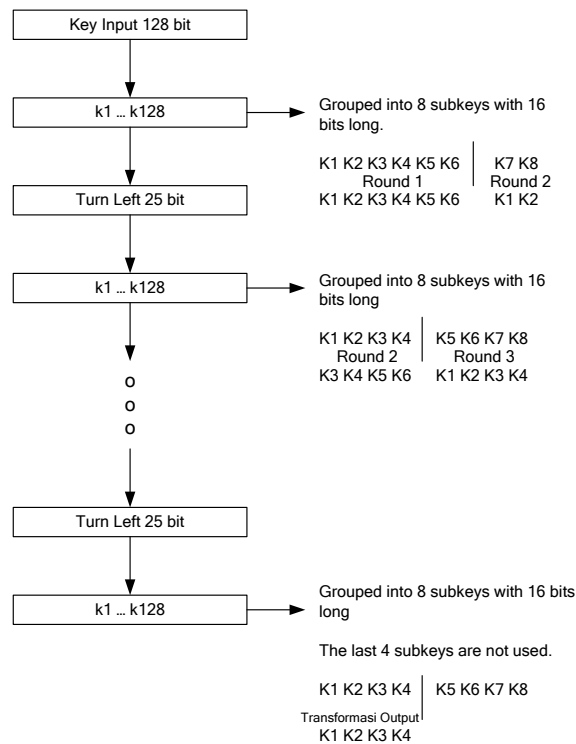


Fig 1. Key Generation Diagram

D. Encryption Process

The IDEA algorithm encryption process is as follows: 64-bit plaintext is split into four sub-blocks with 16 bits long, i.e., X1, X2, X3, X4. These four sub-blocks serve as input for the first-phase iteration of the algorithm. There is a total of 8 iterations. At each iteration, four sub-blocks are XOR-aligned, added, multiplied by the other and with six 16-bit subkeys. Among the iterations of the second and third sub-blocks are interchangeable. Finally, 4 sub-blocks are merged with four subkeys in the output transformation [6] [10] [11], The IDEA algorithm encryption process could be seen in the following figure:

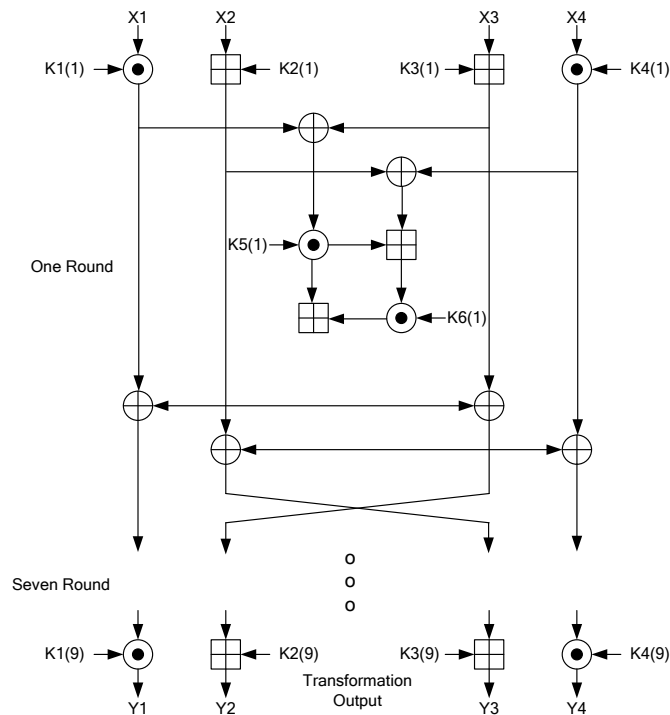


Fig 2. Encryption Diagram

E. Decryption Process

The decryption process is the same as the encryption process. The only difference lies in the rules of the subkey. The subkey order is inverted with the encryption process and its subkey is inverse. The subkey on the output transformation step of the encryption process is invoked and used as a subkey in round 1 of the decryption process. Subkeys in round 8 are inverse and used as subkey on round 1 and 2 in the decryption process [10] [11].

RESULT AND DISCUSSION

For the process of encryption and decryption testing with IDEA algorithm, the first step is to determine the key first
 Key = ConferenceMalang

The key generation process as below:

1. First Round

Key in hexadecimal: 436F6E666572656E63654D616C616E67

Split into 8 parts

KE1 (Round 1) = 436F

KE2 (Round 1) = 6E66

KE3 (Round 1) = 6572

KE4 (Round 1) = 656E

KE5 (Round 1) = 6365

KE6 (Round 1) = 4D61

KE1 (Round 2) = 6C61

KE2 (Round 2) = 6E67

2. Second Round

Rotate Left (436F6E666572656E63654D616C616E67, 25) = CCCAE4CADCC6CA9AC2D8C2DCCE86DEDC

Split into 8 parts:

KE3 (Round 2) = CCCA

KE4 (Round 2) = E4CA

KE5 (Round 2) = DCC6

KE6 (Round 2) = CA9A

KE1 (Round 3) = C2D8

KE2 (Round 3) = C2DC
 KE3 (Round 3) = CE86
 KE4 (Round 3) = DEDC

3. Third Round

RotateLeft (CCCAE4CADCC6CA9AC2D8C2DCCE86DEDC, 25) = 95B98D953585B185B99D0DBDB99995C9

Split into 8 parts

KE5 (Round 3) = 95B9
 KE6 (Round 3) = 8D95
 KE1 (Round 4) = 3585
 KE2 (Round 4) = B185
 KE3 (Round 4) = B99D
 KE4 (Round 4) = 0DBD
 KE5 (Round 4) = B999
 KE6 (Round 4) = 95C9

Do the rotation until the 8th round so that the results obtained are as follows:

Rotate Left

(E86DEDCCECAE4CADCC6CA9AC2D8C2DCC, 25) = 99995C995B98D953585B185B99D0DBDB

Split into 8 parts (last 4 parts are not used):

KE1 (Transformation Output) = 9999
 KE2 (Transformation Output) = 5C99
 KE3 (Transformation Output) = 5B98
 KE4 (Transformation Output) = D953

After determining the key used, the next is to encrypt the message process, below are the process:

Message = ICEEIEOK

Key = ConferenceMalang

1. First Round

- 01) $L\#1 = (X1 * K1) \bmod (2^{16} + 1) = 4943 * 436F \bmod (2^{16} + 1) = 39C1$
- 02) $L\#2 = (X2 + K2) \bmod 2^{16} = 4545 + 6E66 \bmod 2^{16} = B3AB$
- 03) $L\#3 = (X3 + K3) \bmod 2^{16} = 4945 + 6572 \bmod 2^{16} = AEB7$
- 04) $L\#4 = (X4 * K4) \bmod (2^{16} + 1) = 4F4B * 656E \bmod (2^{16} + 1) = 89D0$
- 05) $L\#5 = L\#1 \text{ XOR } L\#3 = 39C1 \text{ XOR } AEB7 = 9776$
- 06) $L\#6 = L\#2 \text{ XOR } L\#4 = B3AB \text{ XOR } 89D0 = 3A7B$
- 07) $L\#7 = (L\#5 * K5) \bmod (2^{16} + 1) = 9776 * 6365 \bmod (2^{16} + 1) = 28C0$
- 08) $L\#8 = (L\#6 + L\#7) \bmod 2^{16} = 3A7B + 28C0 \bmod 2^{16} = 633B$
- 09) $L\#9 = (L\#8 * K6) \bmod (2^{16} + 1) = 633B * 4D61 \bmod (2^{16} + 1) = 3A5D$
- 10) $L\#10 = (L\#7 + L\#9) \bmod 2^{16} = 28C0 + 3A5D \bmod 2^{16} = 631D$
- 11) $L\#11 = L\#1 \text{ XOR } L\#9 = 39C1 \text{ XOR } 3A5D = 039C$
- 12) $L\#12 = L\#3 \text{ XOR } L\#9 = AEB7 \text{ XOR } 3A5D = 94EA$
- 13) $L\#13 = L\#2 \text{ XOR } L\#10 = B3AB \text{ XOR } 631D = D0B6$
- 14) $L\#14 = L\#4 \text{ XOR } L\#10 = 89D0 \text{ XOR } 631D = EACD$

For the next round the round key is used:

X1 = L#11 = 039C
 X2 = L#12 = 94EA
 X3 = L#13 = D0B6
 X4 = L#14 = EACD

2. Second Round

- 01) $L\#1 = (X1 * K1) \bmod (2^{16} + 1) = 039C * 6C61 \bmod (2^{16} + 1) = 2C95$
- 02) $L\#2 = (X2 + K2) \bmod 2^{16} = 94EA + 6E67 \bmod 2^{16} = 0351$

- 03) $L\#3 = (X3 + K3) \bmod 2^{16} = D0B6 + CCA4 \bmod 2^{16} = 9D80$
- 04) $L\#4 = (X4 * K4) \bmod (2^{16} + 1) = EACD * E4CA \bmod (2^{16} + 1) = 07EB$
- 05) $L\#5 = L\#1 \text{ XOR } L\#3 = 2C95 \text{ XOR } 9D80 = B115$
- 06) $L\#6 = L\#2 \text{ XOR } L\#4 = 0351 \text{ XOR } 07EB = 04BA$
- 07) $L\#7 = (L\#5 * K5) \bmod (2^{16} + 1) = B115 * DCC6 \bmod (2^{16} + 1) = 6988$
- 08) $L\#8 = (L\#6 + L\#7) \bmod 2^{16} = 04BA + 6988 \bmod 2^{16} = 6E42$
- 09) $L\#9 = (L\#8 * K6) \bmod (2^{16} + 1) = 6E42 * CA9A \bmod (2^{16} + 1) = 1072$
- 10) $L\#10 = (L\#7 + L\#9) \bmod 2^{16} = 6988 + 1072 \bmod 2^{16} = 79FA$
- 11) $L\#11 = L\#1 \text{ XOR } L\#9 = 2C95 \text{ XOR } 1072 = 3CE7$
- 12) $L\#12 = L\#3 \text{ XOR } L\#9 = 9D80 \text{ XOR } 1072 = 8DF2$
- 13) $L\#13 = L\#2 \text{ XOR } L\#10 = 0351 \text{ XOR } 79FA = 7AAB$
- 14) $L\#14 = L\#4 \text{ XOR } L\#10 = 07EB \text{ XOR } 79FA = 7E11$

For the next round the round key is used:

- X1 = L#11 = 3CE7
 X2 = L#12 = 8DF2
 X3 = L#13 = 7AAB
 X4 = L#14 = 7E11

3. Third Round

- 01) $L\#1 = (X1 * K1) \bmod (2^{16} + 1) = 3CE7 * C2D8 \bmod (2^{16} + 1) = 428E$
- 02) $L\#2 = (X2 + K2) \bmod 2^{16} = 8DF2 + C2DC \bmod 2^{16} = 50CE$
- 03) $L\#3 = (X3 + K3) \bmod 2^{16} = 7AAB + CE86 \bmod 2^{16} = 4931$
- 04) $L\#4 = (X4 * K4) \bmod (2^{16} + 1) = 7E11 * DEDC \bmod (2^{16} + 1) = A6DE$
- 05) $L\#5 = L\#1 \text{ XOR } L\#3 = 428E \text{ XOR } 4931 = 0BBF$
- 06) $L\#6 = L\#2 \text{ XOR } L\#4 = 50CE \text{ XOR } A6DE = F610$
- 07) $L\#7 = (L\#5 * K5) \bmod (2^{16} + 1) = 0BBF * 95B9 \bmod (2^{16} + 1) = A129$
- 08) $L\#8 = (L\#6 + L\#7) \bmod 2^{16} = F610 + A129 \bmod 2^{16} = 9739$
- 09) $L\#9 = (L\#8 * K6) \bmod (2^{16} + 1) = 9739 * 8D95 \bmod (2^{16} + 1) = 158B$
- 10) $L\#10 = (L\#7 + L\#9) \bmod 2^{16} = A129 + 158B \bmod 2^{16} = B6B4$
- 11) $L\#11 = L\#1 \text{ XOR } L\#9 = 428E \text{ XOR } 158B = 5705$
- 12) $L\#12 = L\#3 \text{ XOR } L\#9 = 4931 \text{ XOR } 158B = 5CBA$
- 13) $L\#13 = L\#2 \text{ XOR } L\#10 = 50CE \text{ XOR } B6B4 = E67A$
- 14) $L\#14 = L\#4 \text{ XOR } L\#10 = A6DE \text{ XOR } B6B4 = 106A$

For the next round the round key is used:

- X1 = L#11 = 5705
 X2 = L#12 = 5CBA
 X3 = L#13 = E67A
 X4 = L#14 = 106A

The rotation process is performed until the 8th round with the following results:

- 01) $L\#1 = (X1 * K1) \bmod (2^{16} + 1) = 4F3A * CCAE \bmod (2^{16} + 1) = D215$
- 02) $L\#2 = (X2 + K2) \bmod 2^{16} = EC8A + 4CAD \bmod 2^{16} = 3937$
- 03) $L\#3 = (X3 + K3) \bmod 2^{16} = 6BFF + CC6C \bmod 2^{16} = 386B$
- 04) $L\#4 = (X4 * K4) \bmod (2^{16} + 1) = 26DC * A9AC \bmod (2^{16} + 1) = 3E0F$
- 05) $L\#5 = L\#1 \text{ XOR } L\#3 = D215 \text{ XOR } 386B = EA7E$
- 06) $L\#6 = L\#2 \text{ XOR } L\#4 = 3937 \text{ XOR } 3E0F = 0738$
- 07) $L\#7 = (L\#5 * K5) \bmod (2^{16} + 1) = EA7E * 2D8C \bmod (2^{16} + 1) = 3930$
- 08) $L\#8 = (L\#6 + L\#7) \bmod 2^{16} = 0738 + 3930 \bmod 2^{16} = 4068$
- 09) $L\#9 = (L\#8 * K6) \bmod (2^{16} + 1) = 4068 * 2DCC \bmod (2^{16} + 1) = 8F5B$
- 10) $L\#10 = (L\#7 + L\#9) \bmod 2^{16} = 3930 + 8F5B \bmod 2^{16} = C88B$
- 11) $L\#11 = L\#1 \text{ XOR } L\#9 = D215 \text{ XOR } 8F5B = 5D4E$
- 12) $L\#12 = L\#3 \text{ XOR } L\#9 = 386B \text{ XOR } 8F5B = B730$
- 13) $L\#13 = L\#2 \text{ XOR } L\#10 = 3937 \text{ XOR } C88B = F1BC$
- 14) $L\#14 = L\#4 \text{ XOR } L\#10 = 3E0F \text{ XOR } C88B = F684$

For transformation output

$$X1 = L\#11 = 5D4E$$

$$X2 = L\#13 = F1BC$$

$$X3 = L\#12 = B730$$

$$X4 = L\#14 = F684$$

Transformation output process

$$01) Y1 = (X1 * K1) \bmod (2^{16} + 1) = 5D4E * 9999 \bmod (2^{16} + 1) = 29A3$$

$$02) Y2 = (X2 + K2) \bmod 2^{16} = F1BC + 5C99 \bmod 2^{16} = 4E55$$

$$03) Y3 = (X3 + K3) \bmod 2^{16} = B730 + 5B98 \bmod 2^{16} = 12C8$$

$$04) Y4 = (X4 * K4) \bmod (2^{16} + 1) = F684 * D953 \bmod (2^{16} + 1) = FF88$$

Ciphertext Results:

$$Y1 = 29A3 =)\text{€}$$

$$Y2 = 4E55 = NU$$

$$Y3 = 12C8 = È$$

$$Y4 = FF88 = \text{ÿ}^{\wedge}$$

$$\text{Ciphertext} =)\text{€}NUÈ\text{ÿ}^{\wedge}$$

The encryption process successfully applied with the results as above, for the operation of decrypting just do the inverse process that already described.

CONCLUSION

Message security process by using IDEA algorithm successfully done, where the work process of the IDEA algorithm is displayed gradually so that for implementation into the application form is applied maximally.

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